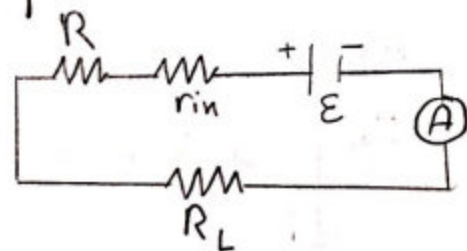


source internal resistance, loading

Problems and circuit impedance Matching

- **electromotive force (E)**: voltage difference between terminals of an open circuit
- **An ideal voltage source**: ($R_{in} = 0$) and it provides an almost infinite current-
- **A real voltage source** has an internal resistance r_{in}
- **load**: component that consumes electrical power
- Since r_{in} is very small we add a $1\text{ k}\Omega$ Resistance to it
 \rightarrow So $R_{in} = R + r_{in}$ (shifting)

* loading happens when r_{in} is comparable to R_L (load Resistance)



Power :-

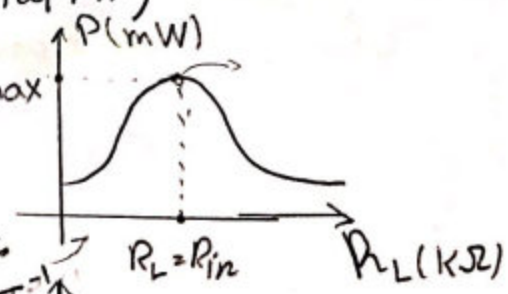
$$P = I^2 R_L$$

Since $I = \frac{E}{R_L + (R + r_{in})}$

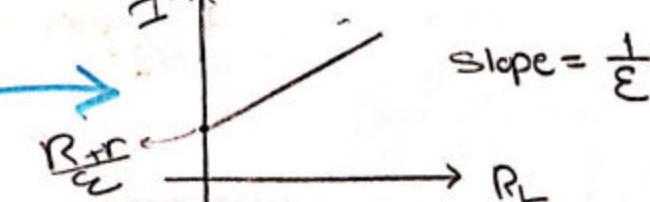
$$= \frac{E^2}{(R_L + (R + r_{in}))^2} R_L$$

P is max when :- (by differentiation)

$$R_L = (R + r_{in})$$



$R_L + (R + r_{in}) = \frac{E}{I}$
 so $\frac{R_L}{E} + \frac{(R + r_{in})}{E} = \frac{1}{I}$
 x-axis \rightarrow $\frac{R_L}{E}$ y-axis \rightarrow $\frac{1}{I}$
 y-intercept \rightarrow $\frac{(R + r_{in})}{E}$



- What we need to use :-
 - resistor decade Box
 - Voltage source = 10 V
 - 1 kΩ Resistance
 - Ammeter

Procedure :-

- 1- Change R_L (0.1 --- 40) Ω
- 2- measure I for each value
- 3- Draw I^{-1} vs R_L
- 4- The y-intercept = $\frac{R + r_{in}}{\mathcal{E}}$
 - ← 1000 Ω calculate it
 - ↑ = r
- 5- The slope = $\frac{\Delta y}{\Delta x} = \frac{1}{\mathcal{E}}$
- 6- Draw P vs R_L (By $P = R_L I^2$)



- 1- غير المقاومة المتغيرة على مسدود (0.1 --- 40) Ω
- 2- قس التيار لكل قيمة للمقاومة
- 3- ارسم I^{-1} vs R_L
- 4- المقطع العمودي = المقاومة (1 kΩ) + المقاومة الداخلية
القوة الداخلية →

الميل = $\frac{1}{\text{القوة الدافعة}}$

- 7- ارسم P vs R_L و قم بإيجاد القوة العظمى من المنحنى
على أن القوة = المقاومة المتغيرة × (التيار)²