

Physics 112

Preliminary Laboratory Questions Experiment 2

: Source , Internal Resistance, Loading Problems and Impedance Matching

- 1- Show that the power P developed across a resistance R is $P=I^2R$, where I is the current flowing across the resistance.

*Heat energy that the resistance gained
= the work spent to transfer the electrons*

*Heat energy = charge transferred
× the voltage between the terminals of the resistance*

$$\text{Heat energy} = q \cdot V \quad (q = I \cdot t)$$

$$\text{Heat energy} = V \cdot I \cdot t$$

$$\frac{\text{Heat energy}}{t} = V \cdot I$$

$$P = V \cdot I \quad (V = I \cdot R)$$

$$P = I^2 \cdot R$$

- 2- Define the emf of a voltage source.

It is the short of electromotive force that characterizes the voltage force and which is the open circuit voltage difference between its terminals and the maximum value of the current it can deliver to a short circuit .

- 3- Define the internal resistance of a voltage source.

It is a resistance that each real voltage source is assigned with and it has a symbol (r_{in}) .

- 4- What is meant by; "loaded source"?

The case in which a considerable amount of power is consumed inside the source and converted to useful heat energy .

- 5- Show how source loading is avoided?

By choosing $R_L \geq 10R_{in}$ is recommended .

- 6- In the experiment you do not measure the actual internal resistance of the source. Why. Explain in detail.

Because $R_L \gg r_{in}$ and r_{in} substituted in the equation :

$$V_{R_L} = \frac{\epsilon}{(R_L + r_{in})} R_L$$

and in this case it could be neglected .

- 7- For the circuit you use in the experiment find an expression for the power developed across the load resistance.

$$P = I^2 R_L$$

$$P = \frac{\varepsilon^2 R_L}{(R_L + r_{in})^2}$$

- 8- If you vary the load resistance, when the power developed across the load resistance is maximum? Verify by using elementary calculus.

From the last equation :

$$\frac{dP}{dR_L} = \frac{(R_L + r_{in})^2 \cdot \varepsilon^2 - \varepsilon^2 R_L \cdot 2(R_L + r_{in})}{(R_L + r_{in})^2}$$

$$\text{When } \frac{dP}{dR_L} = 0$$

$$R_L = r_{in}$$

- 9- What we call the situation reached in question 8, and why?

It is called impedance matching . Because transferring maximum power to the load resistance .