



Birzeit University

Physics Department

Physics 112 – Practical Exam

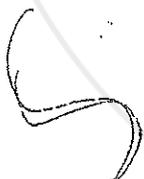
Student's Name:

Student's No. :

Sum. Semester 2010/2011

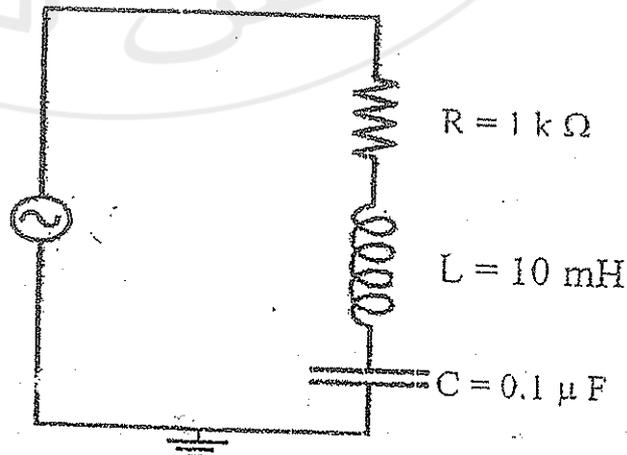
Duration: 30 minutes

1. Connect the circuit shown and display V_R on the CRO screen (set $V_{in,p} = 1\text{ V}$, $f = 1\text{ KHz}$ from the signal generator)
2. Measure the amplitude of V_R
Answer: $V_{R,o} =$
3. Measure the frequency (f) of the input voltage V_{in} at which the amplitude of V_R is maximum (resonance frequency)
Answer: $f =$
4. Measure the phase shift between V_L and V_R
Answer: $\Phi =$
5. Remove L from the circuit (replace it by a short circuit) (From V_R)
measure ω_{-3dB} by changing the input frequency f
Answer: $\omega_{-3dB} =$



$A = 0.707$

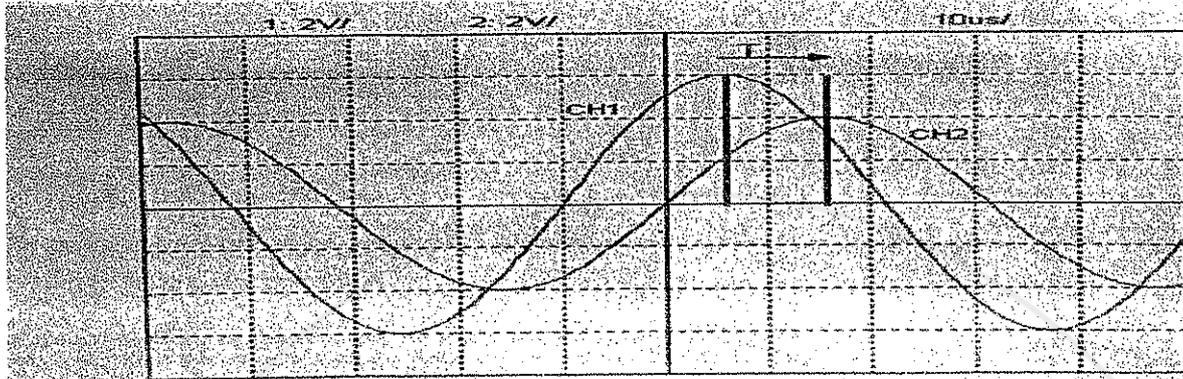
the amp. of output
0.707 of input



To measure the phase shift between the two signals (R –Source)

$$\Phi = 2\pi f * \Delta t$$

We find Δt from DSO like this:



3-measure the resonant frequency :(The current is maximum)

$$\omega = \frac{1}{\sqrt{LC}} \text{ (I think the phase shift here must equal zero!!)}$$

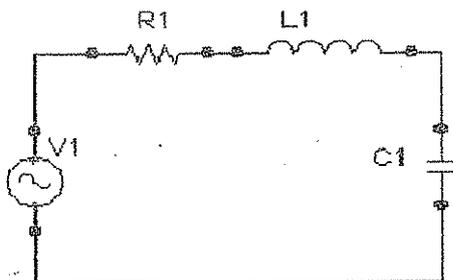
?

4- Measure the phase shift between the current (R) and the voltage on capacitor.

The ckt must be like this(and we must measure it at resonance ,because current inphase with ξ input

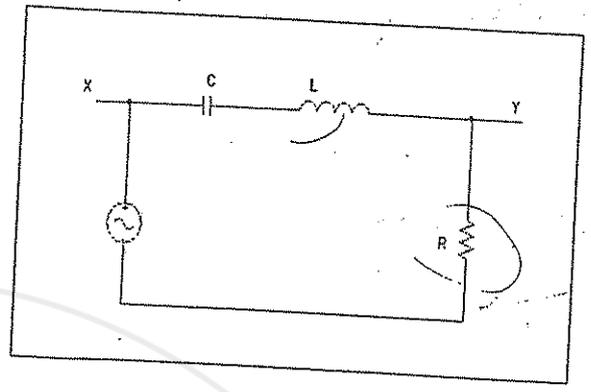
So we measure voltage between source and capacitor at resonance and find the phase shift

$$\Phi = 2\pi f * \Delta t$$



Note: this is same for inductor (between source and inductor at resonance)

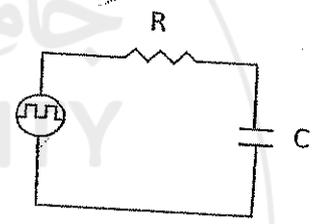
- 2) Set $V_{in} = 2$ (Volts) rms, $f = 1.5\text{KH}$. Using the cursor find the amplitude of V_R .
- 3) Find the phase shift between the V_{in} and V_R using internal mode.



- 3) Find the resonant frequency f_0 experimentally, and at that frequency find the phase shift between V_{in} and V_L using external mode.
- 4) Remove L from the circuit and construct low pass filter. Find experimentally ω_{-3dB} .
- 5) Power the circuit from signal generator with a high frequency square wave what is the output?

Q5

1. Connect the circuit shown ($R=1\text{K}\Omega$, $C=0.22\mu\text{F}$)
2. Display V_R on the DSO and measure the time constant of the circuit.
3. Construct a high pass filter from this circuit. Show that this circuit works as differentiator at low frequency.
4. Measure ω_{-3dB} .



Handwritten notes and graphs for Q5:

$$A = \frac{V_{out}}{V_{in}}$$

$$\omega_{-3dB} = \frac{V_{out}}{V_{in}}$$

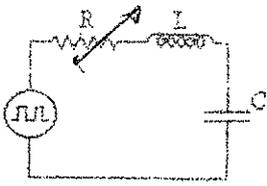
$$V_{out} = \omega_{-3dB} V_{in}$$

A graph shows the magnitude response of the circuit. The vertical axis is labeled A and the horizontal axis is labeled ω . The curve starts at a high value for low frequencies and decreases as frequency increases. A horizontal line is drawn at $A = 0.7$, and a vertical line is dropped from the intersection of this line and the curve to the horizontal axis, where it is labeled $\omega = 2\pi f$.

Another graph shows a square wave input signal. The output signal is a differentiated square wave, which appears as a series of positive and negative spikes at the transitions of the input square wave.

Q1:(RLC with square wave signal)

1- Connect the circuit shown:

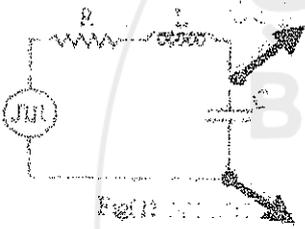


Fig(1)

Note: The signal for the source is square wave.

2- Show VC on the DSO screen (internal mode):

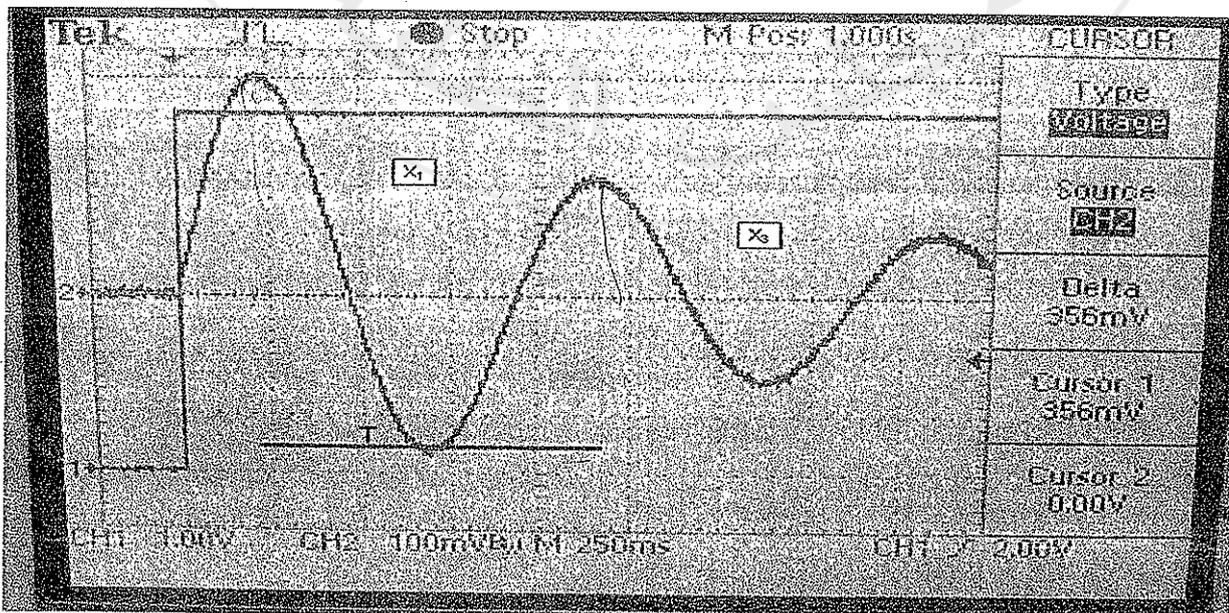
We connect the circuit as above, and connect channel1 with the capacitor like this:



3- Show the critical damping case:

First: we must find (R_{ckt} : internal resistance):

- We switch the variable resistance off and then from the screen shot of DSO , we find V_1, V_2 and Δt (period).



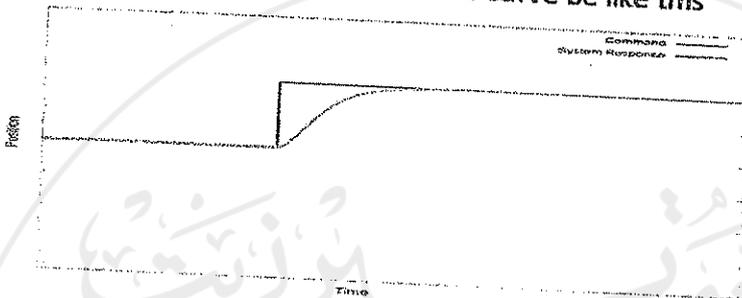
Substitute in the equation to find $\rho = (\ln \frac{V_1}{V_2}) / \Delta t$

And then find R_{ckt} :

$$R_{ckt} = 2l \rho (120 - 150) \Omega$$

Then we find the R for critical damping case:

By changing the variable resistor until the curve be like this



For this case ($L = 10\text{mH}$, $C = 0.01 \cdot 10^{-3}$)

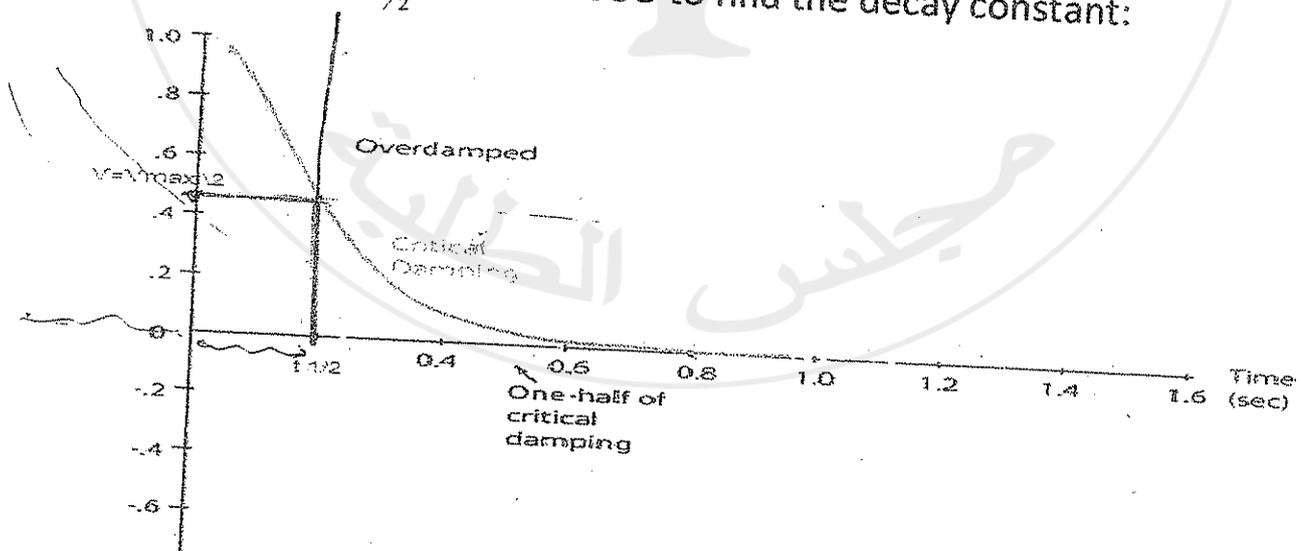
$$R(\text{tho}) = 2000 \Omega$$

$$R(\text{pra}) = 2000-3000$$

4- Measure the decay constant in this case : (critical damping)

$$t_{1/2} = \frac{\ln 2}{\lambda}$$

So we must find $t_{1/2}$ from the DSO to find the decay constant:



$$\lambda = \frac{\ln 2}{t_{1/2}} \quad (\text{This is valid for over damping and critical damping})$$

5- Show the under damping case:

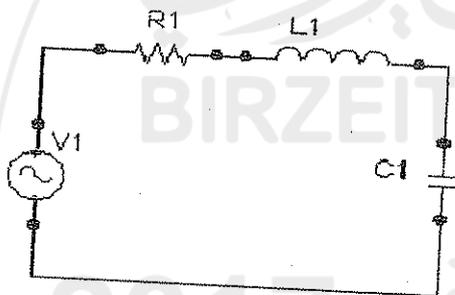
We make the value of variable resistor less than critical case (small enough)

6- Measure the oscillation frequency in this case (under Damping):

$$f = \frac{1}{T} \text{ (We find T from the DSO)}$$

Note: the frequency on (DSO is for source, not for under damping)

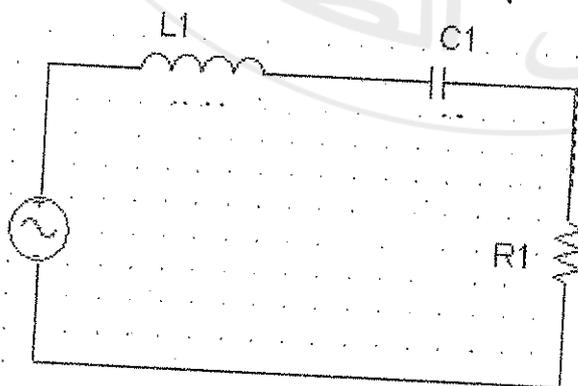
Q2: 1- Connect the circuit shown: (RLC with sinusoidal signal)



Note: the square wave here sinusoidal signal.

2- Measure the phase shift between the current (R) and the input voltage (f= 4KHZ).

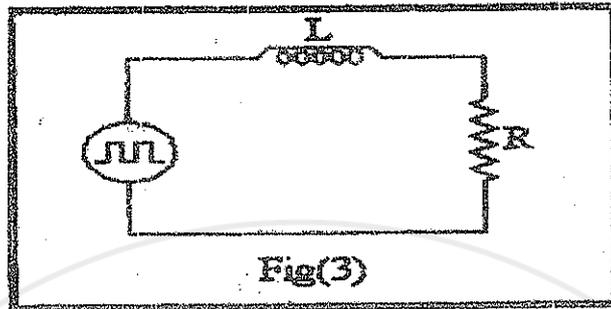
Notes: - here we must use two channels (the first on R and the second on the source) and to do this we must Replaces R in position of capacitor like this:



Then connect the two channels to the DSO (and will appear two signals)

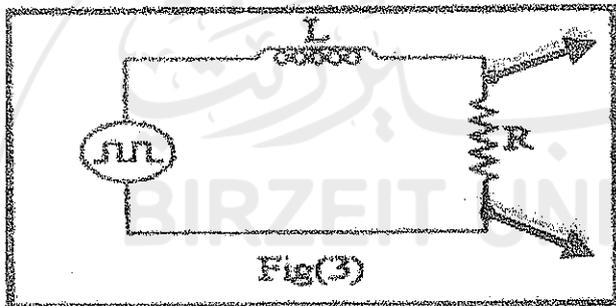
Q3:

1- Connect the circuit as shown ($R=1k$, $L=10MH$)



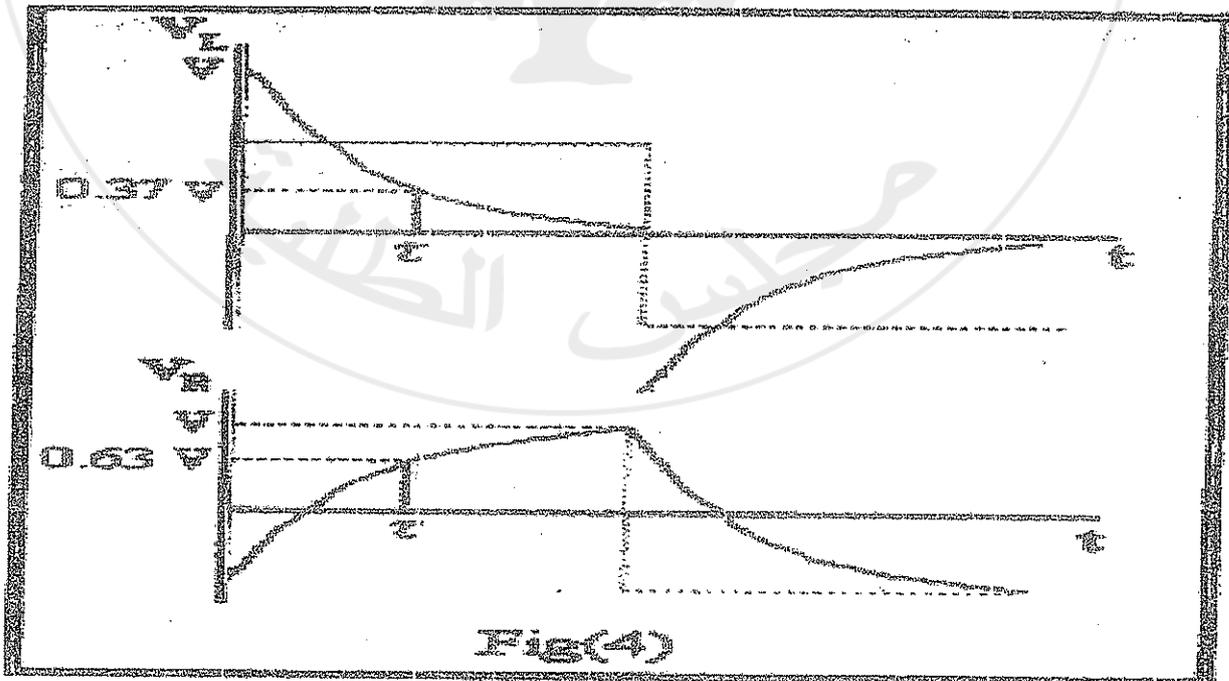
2- Show V_r on the DSO (internal mode)

We connect the circuit like this



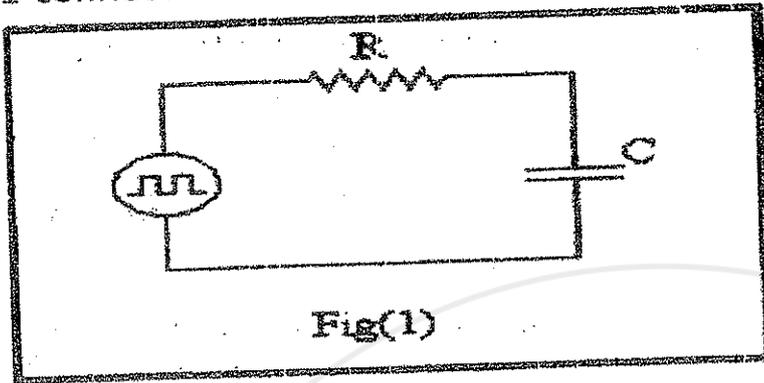
3- Measure the time constant τ of the circuit

From the DSO ,we find time constant



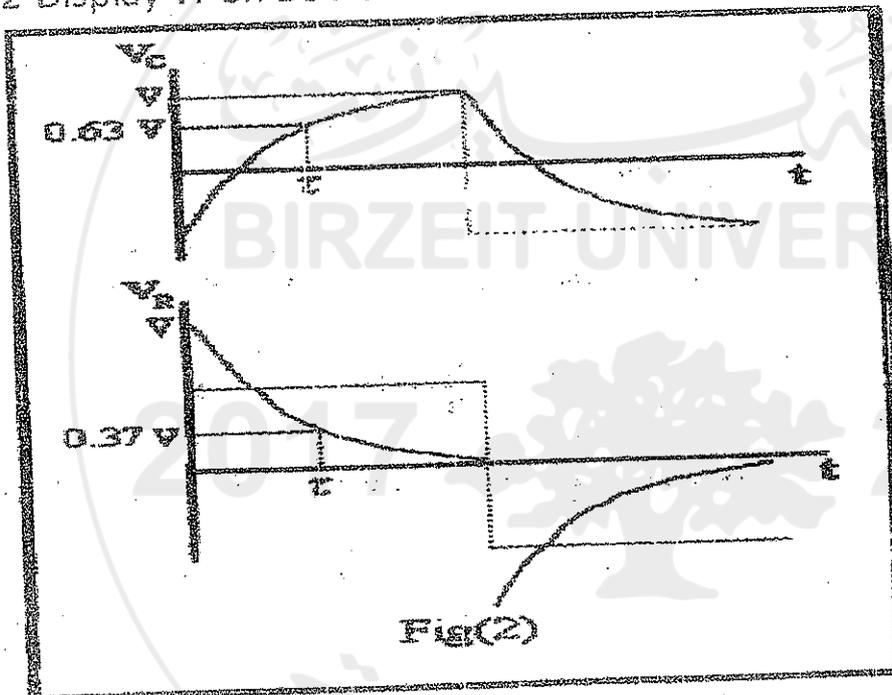
Q5:

1-connect the circuit as shown:



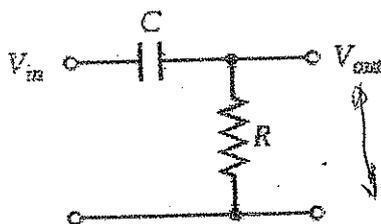
Fig(1)

2-Display V_r on DSO and measure time constant :



4- Construct a high pass filter from circuit ...show this circuit works as differentiator at low frequency .

The circuit must be like this..



Note: The supply must be (sinusoidal) not square wave

Not that here we can't draw (A vs. ω)

$$A = \frac{V_{out}}{V_{in}} \quad (\text{here } V_{out} : V_{p-p} \text{ for channel1 and } V_{in} : V_{p-p} \text{ to channel2})$$

$$0.707 = \frac{V_{out}}{V_{in}}$$

$$V_{out} = 0.707 V_{in}$$

Ex: $V_{p-p} = 5$ for signal1

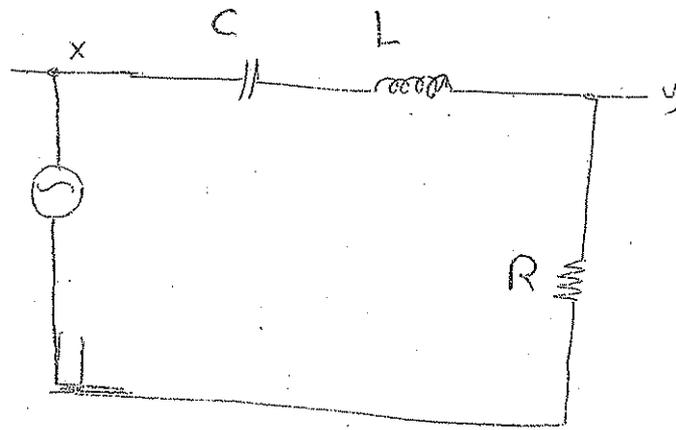
$V_{p-p} = 2$ for signal2

$$\text{So } V_{out} = 0.707 (5) = 3.5$$

We must change v_2 to be 3.5

And then we find $\omega = 2\pi f$





(1) set $V_{in} = 3V_{p-p}$ $f = 1kHz$. using the cursor find the amplitude V_R .

(2) using internal mode find the phase shift between the drive voltage and V_R .

(3) Find experimentally the resonance frequency

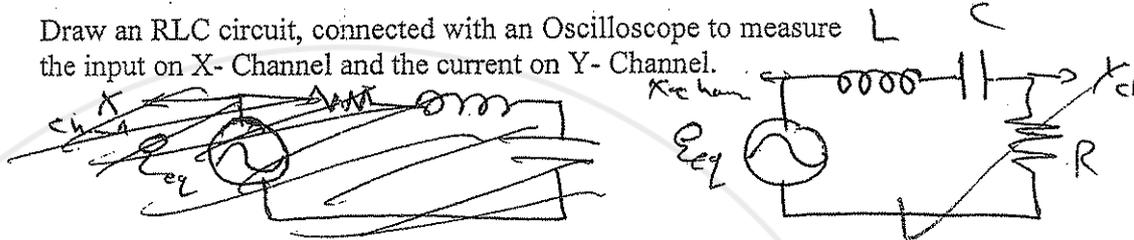
(iv) Remove L , and set the frequency to $300Hz$ and set V_{in} to be triangular what is the output?



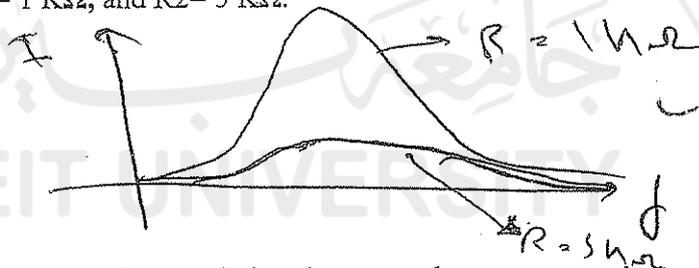
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Physics Department
Physics 112

Name: *M. M. A. P. A. M. S.* Student number: ... *112116114* ...

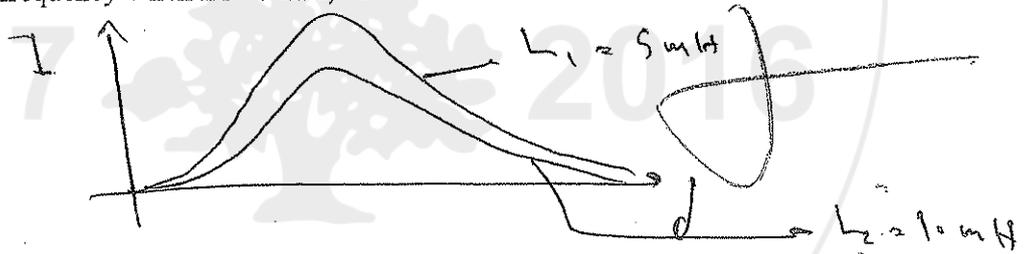
1. Draw an RLC circuit, connected with an Oscilloscope to measure the input on X- Channel and the current on Y- Channel.



2. Draw a sketch of the relation between the current and frequency when $R_1 = 1 \text{ K}\Omega$, and $R_2 = 5 \text{ K}\Omega$.



3. Draw a sketch of the relation between the current and the frequency when $L_1 = 5 \text{ mH}$, and $L_2 = 10 \text{ mH}$.

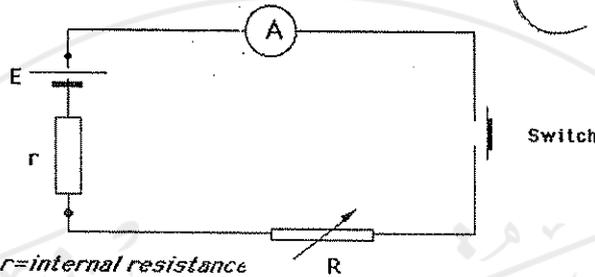


4. Draw a sketch of the relation between the current and the frequency when $C_1 = 0.1 \mu\text{F}$, and $C_2 = 0.01 \mu\text{F}$.

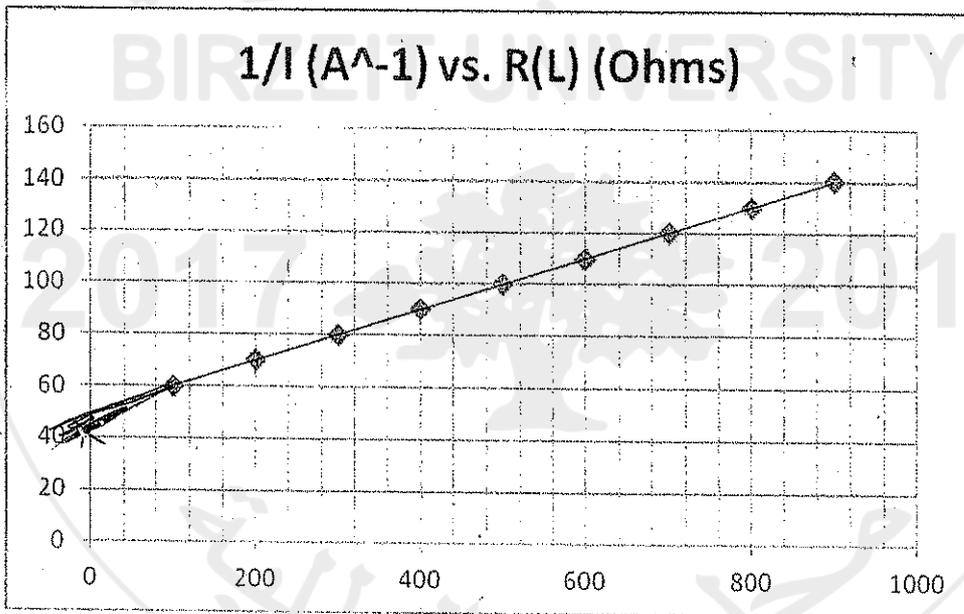


Experiment No. 2 (Internal Resistance)

Name: Student No.:



When the switch is on, changing R will change the current (I), then the result of drawing $1/I$ vs. the load resistance R_L is shown in the figures below,



From the graph find

The slope	Y- intercept	ϵ (volts)	R_{in} (Ω)
$\frac{140 - 60}{900 - 100}$	$\frac{1}{\epsilon} = 0.1$	$\frac{R_{in}}{\epsilon} = 50$
$\frac{1}{\epsilon} = 0.1 A^{-1}$	$\epsilon = 10V$

$\frac{1}{\epsilon} = 0.1 A^{-1}$

$50 A^{-1}$

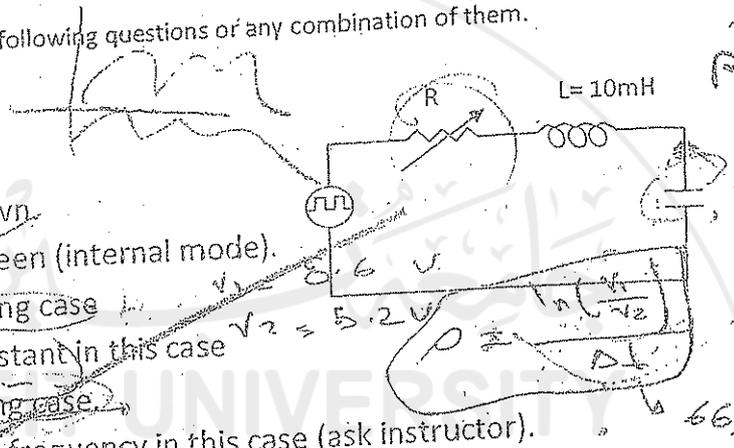
$R_{in} = 500 \Omega$

$V_1 = 9.4 \text{ V}$
 $V_2 = 6.6 \text{ V}$
 $\rho = \frac{\ln(\frac{V_1}{V_2})}{\Delta t} = \frac{\ln(\frac{9.4}{6.6})}{70 \mu s}$

Your practical exam will be any of the following questions or any combination of them.

Q1:

- 1) Connect the circuit shown.
- 2) Show V_f on the DSO screen (internal mode).
- 3) Show the critical damping case.
- 4) Measure the decay constant in this case.
- 5) Show the under damping case.
- 6) Measure the oscillation frequency in this case (ask instructor).



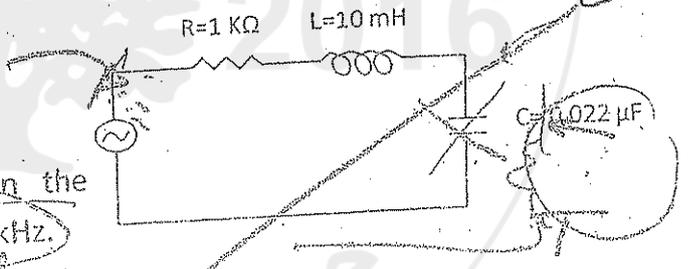
$\rho = \frac{\ln(\frac{V_1}{V_2})}{\Delta t}$
 $\rho = 1.21$

$f = \frac{1}{\Delta t} = 19.71$

$R = 2L \rho$
 $R_{th} = 162 \Omega$

Q2:

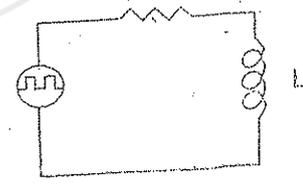
- 1) Connect the circuit shown.
- 2) Measure the phase shift between the current and the input voltage at $f=4 \text{ kHz}$.
- 3) Measure the resonant frequency.
- 4) Measure phase shift between the current and the voltage on the capacitor.



$\phi = 2 \pi f R C$

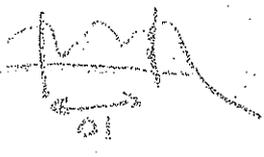
Q3:

- 1) Connect the circuit shown. ($R=1 \text{ k}\Omega$, $L=10 \text{ mH}$)
- 2) Show V_R on the Oscilloscope screen (internal mode).
- 3) Measure the time constant τ of the circuit.



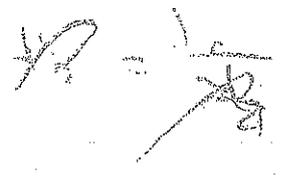
Q4:

- 1) Connect the following circuit ($R=1 \text{ k}\Omega$, $C=0.1 \mu\text{F}$, $L=10 \text{ mH}$).



$R_{eq} = R + \dots$

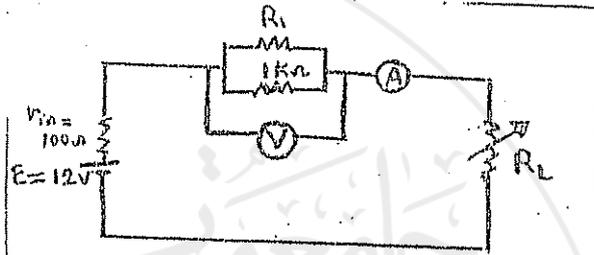
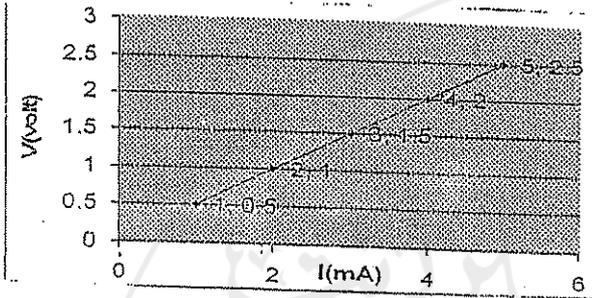
$\rho = \frac{\ln(\frac{V_1}{V_2})}{\Delta t}$



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For the following circuit the I-V characteristic curve was as shown :



1- What is the value of R1?

$$R = \frac{rV}{PI} = \frac{2.5 - 0.5}{(5 - 1) \times 10^{-3}} = 500 \Omega \Rightarrow R = \frac{R_1 \times 1000}{R_1 + 1000} = 500$$

2- What is the value of the load resistance that satisfies the maximum power transfer ?

$$R_{eq} = R + r_s \quad I = \frac{E}{R_{eq} + R_L}$$

$$P = I^2 R = \frac{E^2 R}{(R_{eq} + R_L)^2} = \frac{144 R}{R_{eq} + R_L}$$

$$= \frac{144 \times 500}{R_{eq} + R_L} = \frac{72,000}{R_{eq} + R_L}$$

$$\frac{dP}{dR_L} = 0 \Rightarrow$$

$$R_L = R_{eq} = R + r_s \quad P_{max}$$

$$R_L = 1.1 \text{ k}\Omega$$

$$500 R_L + 500,000 = 144 R$$

$$500 R_L = 500,000$$

$$R_L = \frac{500,000}{500}$$

$$= 1,000 \Omega$$

$$= 1 \text{ k}\Omega$$

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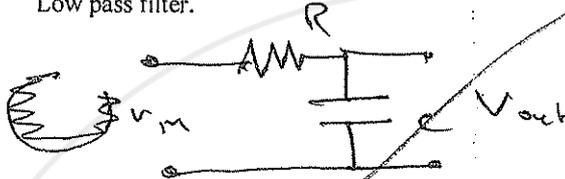
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دائرة الفيزياء

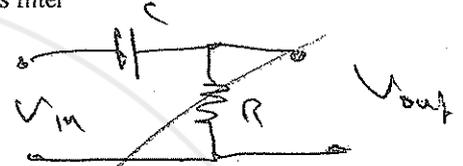
Experiment No. 9 (Filters)

Name: ... ~~.....~~ Student No.: ~~.....~~

1. Draw a RC circuit as a:
a) Low pass filter.

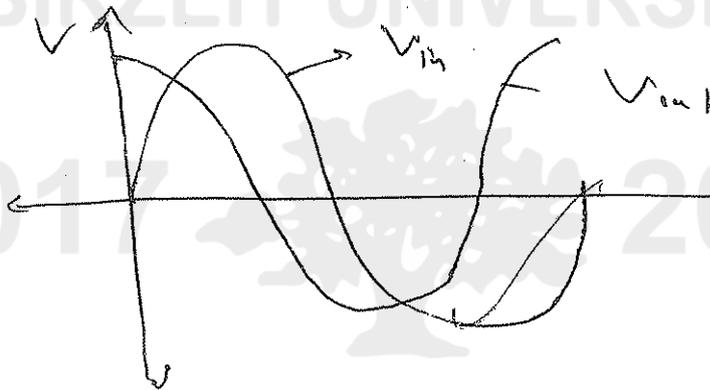


- b) High pass filter

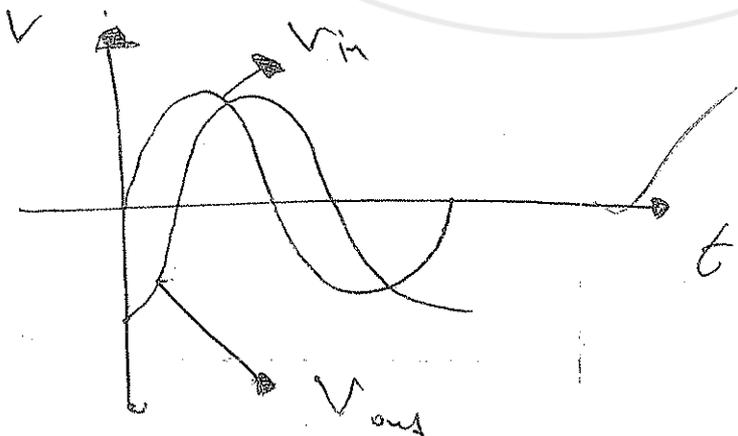


2. Which kind of filter is considered to be a differentiator? And which kind is considered as an integrator? How?

High → differentiator



Low → integrator



$V_{max} = 17.2$

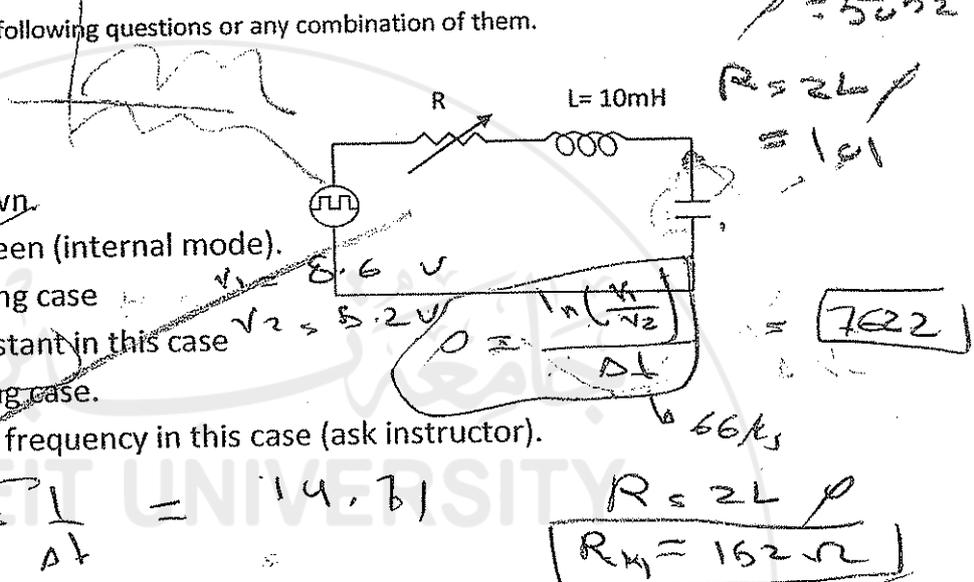
$V_1 = 9.4 \text{ V}$
 $V_2 = 6.6 \text{ V}$

$$R = \frac{\ln\left(\frac{V_1}{V_2}\right)}{\Delta t} = \frac{\ln\left(\frac{9.4}{6.6}\right)}{70 \mu s}$$

Your practical exam will be any of the following questions or any combination of them.

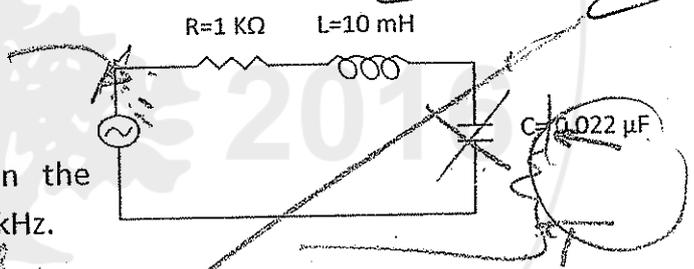
Q1:

- 1) Connect the circuit shown.
- 2) Show V_c on the DSO screen (internal mode).
- 3) Show the critical damping case.
- 4) Measure the decay constant in this case.
- 5) Show the under damping case.
- 6) Measure the oscillation frequency in this case (ask instructor).



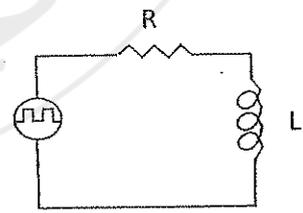
Q2:

- 1) Connect the circuit shown.
- 2) Measure the phase shift between the current and the input voltage at $f=4 \text{ kHz}$.
- 3) Measure the resonant frequency.
- 4) Measure phase shift between the current and the voltage on the capacitor.



Q3:

- 1) Connect the circuit shown. ($R=1 \text{ K}\Omega$, $L=10\text{mH}$)
- 2) Show V_R on the Oscilloscope screen (internal mode).
- 3) Measure the time constant τ of the circuit.

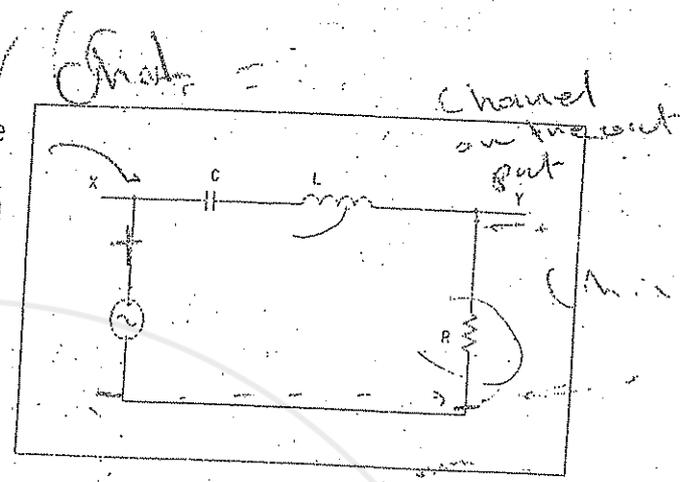


Q4

- 1) Connect the following circuit ($R=1\text{K}\Omega$, $C=0.1\mu\text{F}$, $L=10\text{mH}$).

$R_c \rightarrow$
 $R_{eq} = R +$
 $R < 2L \rho$

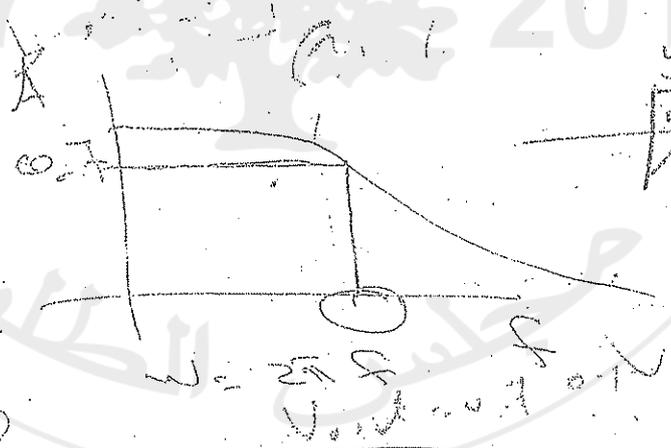
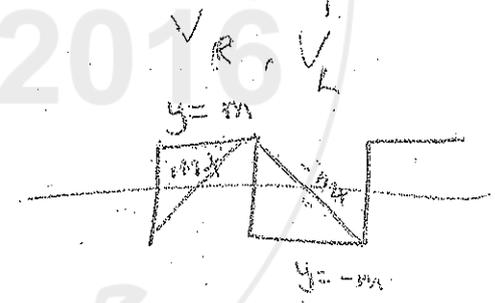
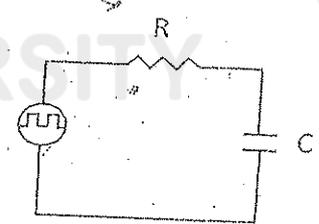
- 2) Set $V_{in} = 2$ (Volts) rms, $f = 1.5$ KH. Using the cursor find the amplitude of V_R . $V_p = \frac{V_{p-p}}{2}$
- 3) Find the phase shift between the V_{in} and V_R using internal mode.



- 3) Find the resonant frequency f_0 experimentally, and at that frequency find the phase shift between V_{in} and V_L using external mode.
- 4) Remove L from the circuit and construct low pass filter. Find experimentally ω_{-3dB} .
- 5) Power the circuit from signal generator with a high frequency square wave what is the output?

Q5

1. Connect the circuit shown ($R=1K\Omega$, $C=0.22\mu F$)
2. Display V_R on the DSO and measure the time constant of the circuit.
3. Construct a high pass filter from this circuit. Show that this circuit works as differentiator at low frequency.
4. Measure ω_{-3dB} .



$A = \frac{V_{out}}{V_{in}}$

$f_c = \frac{V_{out}}{V_{in}}$

out = $0.7 V_{in}$

$\phi = 0$

$V_R \rightarrow \text{max}$

external

$\phi = \omega \Delta t$

$= 2\pi f \Delta t$

$= 2\pi \cdot 1.5 \times 10^3 \times 76 \times 10^{-6}$



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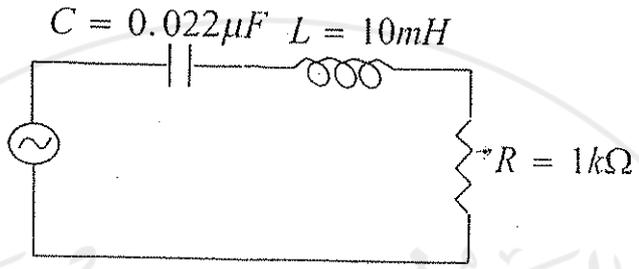
Physics Department

Physics 112

Practical Exam.

Name: ~~M. Ahmad~~ ~~M. Ahmad~~ ~~M. Ahmad~~

st.# ~~1204127~~



- 1) Connect the circuit shown.
- 2) Set $V_{in} = 1$ (Volts) rms, $f = 6$ KHz. 520 mV
Using the cursor find the amplitude of V_R and its frequency.
- 3) Remove L from the circuit. Power the circuit from signal generator with square wave.
- 4) Display V_R on the DSO and measure the time constant of the circuit.
- 5) Construct a high pass filter from this circuit. Measure ω_{-3dB} .

charging \rightarrow dipf \rightarrow constant \rightarrow

$2.60 * 0.63$
 $2.1.6$

$2.48 * 0.63$
 $= 1.56$

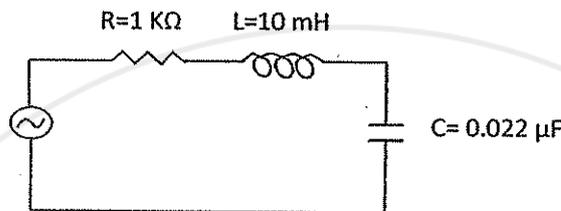
$\tau = 22 \mu s$

$$A = \frac{V_{out}}{V_{in}}$$

0.7 =

Name: _____

st.# _____



- 1) Connect the circuit shown.
- 2) Display V_R on the DSO screen. Measure the phase shift between the current and the input voltage at $f=4$ kHz.
- 3) Measure the resonant frequency.
- 4) Remove C from the circuit. Power the circuit from signal generator with a square wave.
- 5) Display V_R on the DSO screen. Measure the time constant of this RL circuit.

$\Delta t = 60 \mu s \Rightarrow \phi = 2\pi f \Delta t$
 $= 2\pi \times 4 \times 10^3 \times 60 \times 10^{-6}$
 $= 1.507$

(2)

$\phi = 2\pi f \Delta t$
 $= 2\pi \times 4 \times 10^3 \times 60 \times 10^{-6}$
 $\phi = 1.507$



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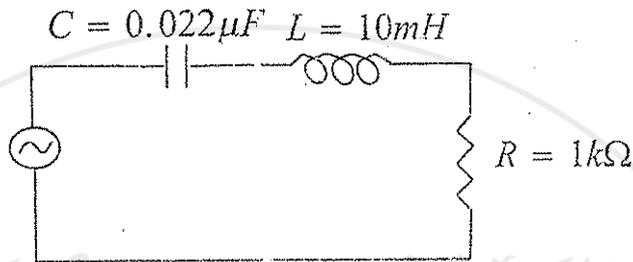
Physics Department

Physics 112

Practical Exam. V4

Name: Yasir Abdallah

st.# 1120176



- 1) Connect the circuit shown.
- 2) Set $V_{in} = 1$ (Volts) rms, $f = 6$ KHz.
Using the cursor find the amplitude of V_R and its frequency.
- 3) Remove L from the circuit. Power the circuit from signal generator with square wave.
- 4) Display V_R on the DSO and measure the time constant of the circuit.
- 5) Construct a high pass filter from this circuit. Measure ω_{-3dB} .

2017 2016

مجلس الطلبة

BIRZEIT UNIVERSITY
PHYSICS DEPARTMENT

Practical Exam PHYSICS 112 Summer 2011

Instructor : Dr. E. Sader

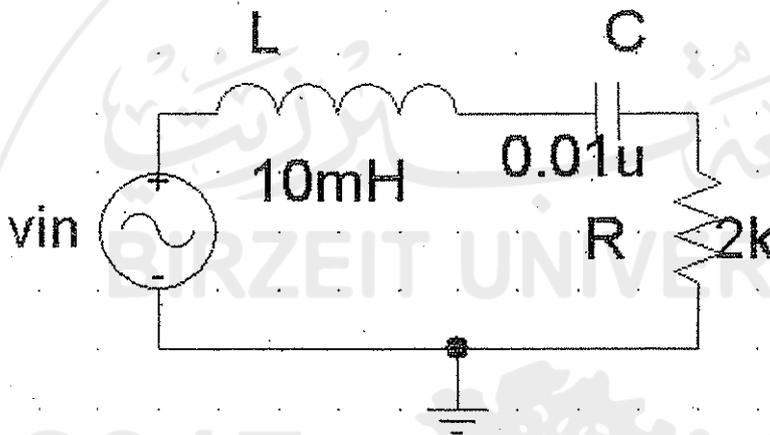
Student Name: ~~XXXXXXXXXX~~

St. No. ~~XXXXXXXXXX~~

Please call the instructor for inspection for each part you completed.

1-Connect an AC-series RLC circuit with $R=2\text{ K}\Omega$, $L=10\text{ mH}$ and $C=0.01\text{ }\mu\text{F}$. Set the peak voltage of the signal generator at 3 Volts.

block



- 2- Measure the current in this circuit (rms and peak values), and the phase shift between this current and the sinusoidal driving voltage of the function generator at $f=5\text{ KHz}$.
- 3- Measure the resonance frequency f_0 .
- 4- Measure the current flowing in this circuit for the resonance frequency (rms and peak values).
- 5 - Measure the voltages at resonance on the capacitor and inductor.
- 6- Add the measured peak voltages on the three components (show how you do it). Compare with the peak voltage of the function generator. Interpret your result.

Voltage = Capacitor =
Inductor =

$V_p = 3\text{ V}$

GOOD LUCK

$\phi = a = 1$

$b = 1.3$

phase shift = 50.3

resonance freq = 16.16 KHz

rms

$$I = \frac{V}{R} = V_{rms} \frac{1.95}{2\text{ K}\Omega} = 975$$

peak value

$$I = \frac{3}{2\text{ K}\Omega} = 1.5 \times 10^{-3}$$

$$R = \frac{V}{I}$$

$$L = \frac{V}{I}$$

$$R = \frac{V}{I}$$



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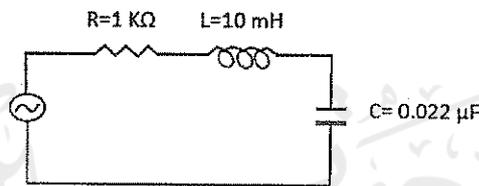
Physics Department

Physics 112

Practical Exam. V2

Name: _____

st.# _____



- 1) Connect the circuit shown.
- 2) Display V_{in} 4 Volts, 4 KHz and measure V_R .
- 3) Display V_R on the DSO screen. Measure the phase shift between V_R and the input voltage at $f=4\text{ kHz}$.
- 4) Measure the resonant frequency.
- 5) Remove L from the circuit and construct a low pass filter. Power the circuit from signal generator with a square wave at 30 kHz. What is the output.

