

Lava
 A.D. kh...
 & W... m...
 2.

Test Bank : Chapter 30

INDUCTION AND INDUCTANCE

① ans: C

$$\Phi_B = BA \cos \theta \Rightarrow \Phi_1 = \Phi_2 \Rightarrow B(1) \cos 60 = B A_2 \cos 0$$

$$0.5 = A_2$$

② ans: B

$$\Phi_B = BA \cos \theta = 5 \cos 30 = 4.3 \text{ Wb}$$

③ ans: C

$$\Phi_B = BA \cos \theta = (2)(3) \cos 30^\circ = 5.19 \approx 5.2 \text{ Wb}$$

④ ans: E

$$\Phi_{B_1} = BA_1 \cos 30 = 5 \text{ Wb} = B \cos 30 \Rightarrow \Phi_{B_2} = BA_2 \cos 30 = (5)(2) = 10 \text{ Wb}$$

⑤ ans: D

$$\Phi_B = B \cdot A = T \cdot m$$

⑥ ans: A

$$\mathcal{E} = -\frac{d\Phi_B}{dt} \quad (\text{Faraday's law})$$

⑦ ans: E

$$\mathcal{E} = BLV = [T][m][m/s] = T \cdot m^2/s$$

⑧ ans: C

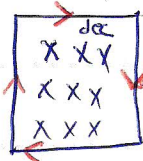
$$\mathcal{E} = -\frac{d\Phi_B}{dt} \quad (\text{Faraday's law})$$

connected *
 9 | ans: B | حوله حدود السطح المستخدم لحساب التدفق العنقودي

10 | ans: D | حسب قانون فاراداي يجب ان يكون قوة دافعة حوله

الحدود

11 | ans: B



لما ان المجال يتناقص التدفق يتناقص

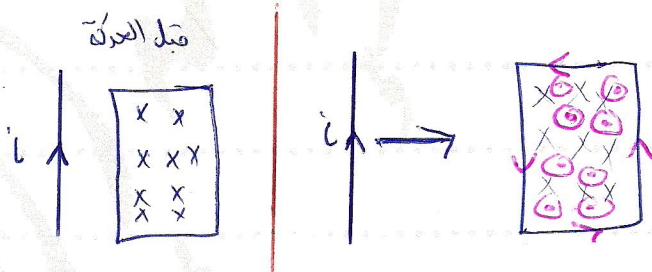
تتولد تيار حثي بحيث يولد مجال يعاكس الاتجاه

⇒ Clock wise

12 | ans: D | لما ان المجال يزداد التدفق يزداد ما ينتج مجال يقاوم الاصلية (بمعنى الاشارة)

13 | ans: A

14 | ans: C



15 | ans: C

an increasing current ⇒ increasing flux ⇒ opposite fields counter clockwise

16 | ans: B

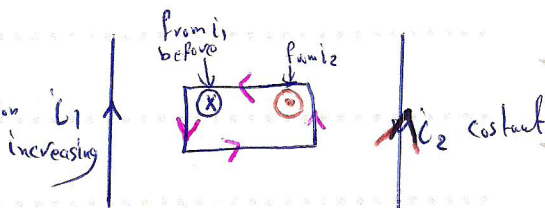
current shut off ⇒ decreasing flux ⇒ magnetic field in the same direction

⇒ so clock wise current 😊

17 | ans: C

i_1 increasing, flux increasing, \vec{B} produced in opp direction

$i \Rightarrow$ Counter clock wise



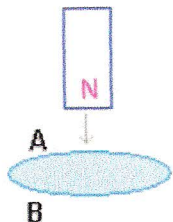
18) Ans :C

counter clock wise



\vec{B} increases \Rightarrow flux will increase \Rightarrow will produce B^{in} direction
~~clockwise~~ (\odot) \Rightarrow i is counter clock wise

19) Ans :E



When north enters the coil, the current in the coil flows so that the end A of the coil is a north pole. When the magnet moves away from end A, the direction of current reverses in the coil and end A behaves like a south pole. At the instant when the midpoint of the magnet is in the plane of the loop, induced current at point P, is essentially zero.

20) Ans:E

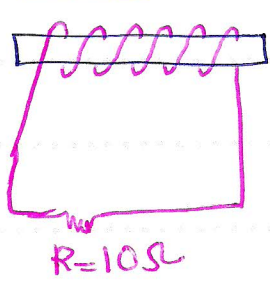
As the area of the loop projected on a plane perpendicular to the field decreases, Lenz' Law tells us that induced current will flow so that the induced field will increase the flux through the loop. However, as the area of the loop projected on a plane perpendicular to the field increases, Lenz' Law tells us that induced current will flow so that the induced field will decrease the flux through the loop. These are opposite directions, so the induced current

alternates between clockwise and counterclockwise.

21) Ans :D

22) Ans:B

23 ans: D



$N = 100$, $A = 0.1 \text{ m}^2$ $B_1 = +1 \text{ T}$ $B_2 = -1 \text{ T}$

$\mathcal{E} = -N \frac{d\Phi_B}{dt} = -NA \frac{dB}{dt} = -100(0.1) \frac{-1-1}{dt}$

$\mathcal{E} = +20 \frac{dt}{dt}$

but $\mathcal{E} = IR = \frac{dq}{dt} R$

$q = \frac{\mathcal{E}t}{R} = \frac{20}{10} = 2 \text{ C}$

24 ans: E

25 ans: E

26 ans: B

الات $\mathcal{E} = -\frac{d\Phi_B}{dt}$ حسب فاراداي

الفترة 2 أقل شيء لأنه التغيير في المجال = صفر بالتالي التفرقة صفر والحيار B

هو الحيار الوحيد الذي يب 2

ترتيب الباقي

27 Ans: B

$\mathcal{E} = IR = -\frac{d\Phi_B}{dt}$

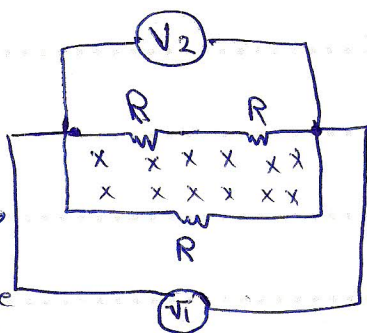
$(0.2)(10) = -A \frac{dB}{dt} \Rightarrow \frac{2}{(12 \times 10^{-2})^2} = -\frac{dB}{dt}$

$\frac{dB}{dt} = -140 \text{ T/s}$

28

28

Because of the changing magnetic flux, i.e. induced emf, the two voltmeter don't have



the same reading. There is no changing magnetic flux in the region between voltmeter 1 and R, neither between voltmeter 2 and RR. So voltmeter

1 measure the voltage across R and voltmeter 2 measure the voltage across RR

Continued [28]

Let the current through all resistor be i , using ohm's law to determine the voltage across R to be iR and that across $2R$ to be $2iR$. Therefore V_2 reads $2mV$.

خلاصة الموضوع يا جماعة! كل فولتميتر يقرأ المقاومات التي فيه
عالم مختار بسبع 😊

(29) ans: A

حتى يتولد ~~جهد~~ تيار مع عقارب الساعة يجب ان يكون المجال الناتج للفاصل
بالتالي نفسه الموجود ان لا يثب بعكس لتقليل التغير بالتالي يتركه

هو $+x$

دائرة بسيطة

[30] ans: D

1, then 2 and 3 tie, then 4



(a) $emf_1 = BLV$

$emf_3 = B(2LV) = 2BLV$

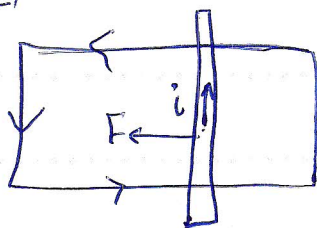
(b) $emf_2 = B(2LV) = 2BLV$

$emf_4 = B(3LV) = 3BLV$

30

[31] ans: C When the loop enters the magnetic field (the flux will increase) and this produce emf and a current will flow in it. As the loop leaves the flux (decrease) then a current will flow in the opposite direction

[32] ans: C



السلك سيتحرك دائما بقوة تعاكس
السرعة اتجاهها بالتالي حسب قانون
اليد اليمنى اتجاه الحبال هو الناتج

33 $\mathcal{E} = BLV = (0.5 \times 10^{-4}) (1.7) \left(\frac{75 \times 1000}{3600} \right) = 1.8 \times 10^{-3} \text{ V}$

ans: B

34 ans: D

35 ans: C

ans: C $\mathcal{E} = -\frac{d\phi}{dt} = -\frac{d(BvL)}{dt}$ where L is the length of the rod

$\mathcal{E} = -\frac{dB}{dt} vL - BvL = 0$

$\Rightarrow \frac{dB}{B} = -\frac{dt}{t} \quad \ln Bt = C \quad \Rightarrow B = \frac{C'}{t}$

36 ans: D

$\mathcal{E} = -\frac{d\phi}{dt} = -\frac{dBA \cos \theta}{dt} = BA \sin \theta \frac{d\theta}{dt} = BA \sin \theta (2\pi f)$

$= BA \sin \theta (2\pi f) \rightarrow \text{emf}_{\text{max}}$ is when $\theta = \frac{\pi}{2}$

so $\text{emf}_{\text{max}} = BA 2\pi f$ and this when flux = 0

37 ans: A when $\theta = \frac{\pi}{2} \Rightarrow \text{flux} = 0$

38 ans: C

39 ans: B

40 ans: C $\Rightarrow \text{emf}_{\text{max}} = NBA\omega$ { $\omega = \text{angular velocity} = 2\pi f$ of rotation

$f = \text{number of revolution per sec} = 60 \text{ rev/sec} \Rightarrow \text{then } \omega = 2\pi 60 = 376.8 \text{ rev/s}$

$N = \text{number of turns} = 10, B = 0.5 \text{ T}, A = \text{area of cross section of the loop}$

$A = (\pi (0.03)^2) \text{ m}^2 \Rightarrow \mathcal{E} = (10)(0.5)(120\pi)(9 \times 10^{-4})\pi = 5.3$

41 ans: D

$$emf_{max} = NBA\omega$$

$$\Rightarrow \omega = \frac{emf_{max}}{NBA} = \frac{(1)}{(1)(1.6)(5.625) \times 10^{-3} \pi}$$
$$= 35 \text{ rad/s}$$

42 Ans: A

$$emf = \frac{d\phi}{dt}$$

and

$$\theta = \frac{\pi}{2}$$

$$\text{So } emf = 0$$

\Rightarrow

$$\phi_B = B \cdot A = BA \cos \theta$$

43 ans: D

44 ans: D

Motional emf is $\mathcal{E} = BLv$. We find the induced current $i = \frac{\mathcal{E}}{R} = \frac{BLv}{R}$ counter clock wise from Lenz's law. The ~~magnitude~~ Magnetic force on the rod is $F = iLB = \left(\frac{BLv}{R}\right) LB = \frac{L^2 B^2 v}{R}$ toward left using the right hand rule. There fore a person must pulling the rod with a force to the right with the same magnitude to make the rod moving at constant velocity.

45 Ans: A

By A.D.kh

كلمة through تعني ان السلك بالكلية داخل الحقل \leftarrow التيار في التدفق

سيكون صفر بالتالي لا يوجد قوة دافعة حثية \leftarrow ومن ثم لا يوجد تيار

بالتالي القوة التي نتاجها صفر

46 ans: D

$$\text{Power} = i^2 R \Rightarrow i = \sqrt{\frac{\text{Power}}{R}} = 20 \text{ mA}$$

47 ans: B

$$\text{Power} = \frac{V^2}{R} \Rightarrow V = \sqrt{\text{Power} \cdot R} =$$

48

ans: B

time-dependent magnetic field

49 ans: C

$$\oint \vec{E} \cdot d\vec{s} = -\frac{d\Phi_B}{dt}$$

$$E(2\pi \frac{1}{2} r) = -\pi \frac{1}{4} r^2 \frac{dB}{dt}$$

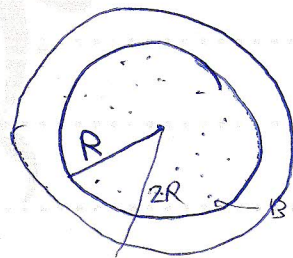
$$-\frac{4E}{r} = \frac{dB}{dt} \Rightarrow \frac{dB}{dt} = -\frac{4(4.5 \times 10^{-3})}{2 \times 10^{-2}} = -0.6 \text{ T/s}$$

50 ans: $i \propto E$

$$\oint \vec{E} \cdot d\vec{s} = -\frac{d\Phi_B}{dt}$$

$$E(2\pi(2R)) = -\frac{d\Phi_B}{dt} (\pi R^2)$$

$$\Rightarrow E = \left(\frac{R}{4}\right) \frac{dB}{dt}$$



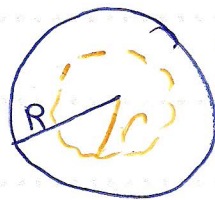
51 ans: B

$$\oint \vec{E} \cdot d\vec{s} = -\frac{d\Phi_B}{dt}$$

$$E(2\pi r) = -\frac{d}{dt} ((\pi r^2) B)$$

$$E(2\pi r) = -\pi r^2 \frac{dB}{dt} \Rightarrow E = \frac{r}{2} \frac{dB}{dt} \Rightarrow E = \frac{r}{2} a$$

so $E \propto r$



$B = at$

52

ans: D

By: A.D.kh

→ Thanks 😊

$$\oint \vec{E} \cdot d\vec{s} = -\frac{d\phi_B}{dt}$$

$$E(2\pi r) = -\frac{d\phi_B}{dt} \quad \pi R^2 \quad \Rightarrow \quad E = \frac{\text{constant}}{2\pi r}$$

5

53

ans: A

$$L = \frac{N\phi_B}{i} \quad \Rightarrow \quad \mathcal{E} = -\frac{d\phi_B}{dt} = -\frac{d(Li)}{dt}$$

$$Li = N\phi_B$$

$$\mathcal{E} = -L \frac{di}{dt} \quad \Rightarrow \quad L = -\frac{\mathcal{E}}{\frac{di}{dt}} \quad \Rightarrow \quad [L] = \frac{\text{V} \cdot \text{second}}{\text{Ampere}}$$

54

ans: D

the current is increasing and leftward

55

ans: C

$$L = 35 \times 10^{-3} \text{ H} \quad i = 2.0 \quad N = 10$$

$$L = \frac{N\phi_B}{i} \quad \Rightarrow \quad \phi_B = \frac{Li}{N} = 7 \times 10^{-4} \quad \text{ans: C}$$

56

ans: E

$$\frac{di}{dt} = \frac{-\mathcal{E}}{L} = 500 \text{ A/s}$$

نصف القطر من
القالب

~~56~~ ~~L = \frac{N\phi_B}{i}~~ ~~\phi_B = \frac{Li}{N}~~ ~~\mathcal{E} = -\frac{d(Li)}{dt}~~

~~\mathcal{E} = -L \frac{di}{dt}~~ ~~\frac{di}{dt} = \frac{-\mathcal{E}}{L}~~

57) ans: B

للمر حابه يعرفه كيف يحفظها

$$\frac{\mu_0 n^2 A}{L}$$

يقول براسه $\frac{\text{منها}}{L}$

$N\Phi_B = (n'l)(BA)$ in which n' is the number of turns per Unit length $n' = \frac{n}{L}$ and $B = \mu_0 i n'$

$$L = \frac{N\Phi_B}{i} = \frac{n'l(\mu_0 i n')A}{i} = \mu_0 n'^2 A$$

$$L = \frac{\mu_0 n^2 A}{L}$$

منه لاحتاج الى اي توفيق يفتح الكتاب صفحه 805

او دفتره الحاضر

58) ans: C

$$L = \frac{\mu_0 n^2 A}{L}$$

$$\Rightarrow L \propto n^2$$

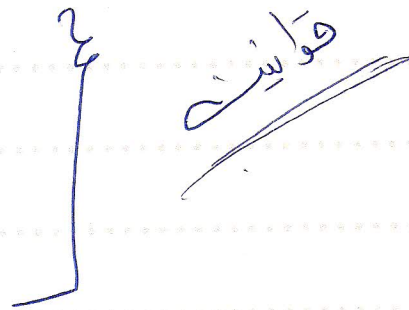
$$5 \rightarrow L$$

$$\therefore \tilde{L} = (4)^2 L = 16L$$

$$20 \div 5 = 4$$

59) ans: E

$$i = \frac{\mathcal{E}}{R} (1 - e^{-Rt/L})$$



60) ans: D

$$\mathcal{E} e^{-Rt/L}$$

61) ans: E

$$\mathcal{E} (1 - e^{-Rt/L})$$

62) Ans: A

In this case we have $i(t) = i_{\text{Final}} (1 - e^{-Rt/L})$ and ~~$i_{\text{Final}} = 8.0 \text{ mA}$~~

We want to know when $i(t) = 0.5 i_{\text{Final}}$

so we have: $0.5 = 1 - e^{-Rt/L} \Rightarrow 0.5 = e^{-Rt/L} \Rightarrow \ln(0.5) = -Rt/L$

$$t = -(L/R) (\ln(0.5)) = - (8.0 \times 10^{-3} / 2) \ln(0.5) = 2.8 \text{ ms}$$

مصدر تيار
ناهيين

63 ans: B

After a long time ($t \gg L/R$), the current is set by the value of the resistor $I = \frac{\Sigma}{R} = \frac{20}{2} = 10 \text{ A}$

بعد انقضاء ال inductor وال resistor هو صولت على التوالي
بالتالي التيار الحار في ال inductor بعد مدة طويلة يكون ايضا 10A

مصدر تيار
ناهيين

64 ans: B

After a long time, L's current is max, and its resistance is negligible. The only ΔV thus is across R_0
so $\Delta V_L = 0$; $\Delta V_R = 20V$

65 ans: A 0, E

66 ans: E $\Rightarrow \tau = \frac{L}{R} \Rightarrow \frac{2L}{2R}$ unchanged

67 ans: B L/R₂

When S is closed, emf of battery acts directly on the series of L & R₂

68 ans: C L is open circuit

$I_1 = 0$ $I_2 = \frac{E}{R}$ $I_3 = \frac{E}{2R}$
Rank least to greatest 1, 3, 2

69 ans: D
 $V_0 / (R_1 + R_2)$

70 ans: E

$$L_1 = 3.5 \text{ mH}, L_2 = 4.5 \text{ mH}$$

~~series~~ series $\rightarrow L_{eq} = L_1 + L_2 = 8 \text{ mH}$

مسألة

71 ans: B

~~When they are in series, this is just a voltage divider~~

$$V = i [Z_1 + Z_2]$$

$$16 = i [j\omega 3.5 + j\omega 4.5]$$

$$i = \frac{16}{8 \omega j} \Rightarrow V_{4.5} = i Z_{4.5} = \frac{16}{8 \omega j} 4.5 \omega j = 9 \text{ Volt}$$

By A.D.kh (Thanks 😊) الذي يعني يفهم الدائرة مرات
تجربتي 9 يعتبر 112 فيزياء

72 Ans: A

$$\text{Parallel} \rightarrow L_{eq} = \frac{L_1 L_2}{L_1 + L_2} = 2$$

73 ans: B

Parallel configuration \rightarrow Same \mathcal{E} for both L

$$\mathcal{E} = -L \frac{dI}{dt} \Rightarrow \frac{dI_{4.5}}{dt} = \frac{16 \text{ V}}{4.5 \times 10^{-3} \text{ H}} \approx 3.6 \times 10^3 \text{ A/s}$$

74 ans: E

Parallel $\rightarrow V_L = V_{2L}$

$$K \frac{di_1}{dt} = 2K \frac{di_2}{dt}$$

$$\frac{di_1}{dt} = 2 * 1200 \text{ A/s} = 2400 \text{ A/s}$$

75 ans: E none of the above $U_B = \frac{1}{2} Li^2$

76 ans: E $U = \frac{1}{2} Li^2 \Rightarrow$ at $t \rightarrow 0$
~~the current will~~ the current will go to zero
 but at $t \rightarrow \infty$ the current will be constant
 is along time ago

77 ans: D (By A.D.Kh)

$$U = \frac{1}{2} Li^2 \quad \text{but } i = i_0 (1 - e^{-\frac{Rt}{L}})$$

$$U = \frac{1}{2} Li_0^2 (1 - e^{-\frac{t}{\tau}})^2$$

$$P = \frac{dU}{dt} = \frac{1}{2} L (2) \left(\frac{1}{\tau}\right) (i_0^2) (1 - e^{-\frac{t}{\tau}}) \left(e^{-\frac{t}{\tau}}\right)$$

$$\frac{dP}{dt} = \frac{L}{\tau^2} i_0^2 (1 - 2e^{-\frac{t}{\tau}}) e^{-\frac{t}{\tau}} = 0$$

$$1 - 2e^{-\frac{t}{\tau}} = 0 \quad \therefore \tau = \tau \ln 2 = \frac{L}{R} \ln(2)$$

(at $t_{\frac{1}{2}}$) The Max Rate of U at $t_{\frac{1}{2}}$

80
 78 ans: C

79 Ans: B $U = \frac{1}{2} LI^2 \Rightarrow L = \frac{2U}{I^2} = \frac{2(40)}{(10)^2} = 0.8 \text{ H}$
 $\Delta U = \frac{1}{2} (0.8) [(-5)^2 - (10)^2] = -30 \text{ J}$

80 ans: B

$$U = \frac{1}{2} L i^2 = \frac{1}{2} 6 \times 10^{-3} (25) \\ = 7.5 \times 10^{-2} \text{ J}$$

81 ans: E

$$L = 6 \text{ mH} \quad \left\{ \begin{array}{l} i = 5 \\ \frac{di}{dt} = 800 \end{array} \right. \quad \frac{dU}{dt} = ?$$

$$\Rightarrow V = L \frac{di}{dt} = 6 \times 10^{-3} \times 200 = 1.2$$

$$\text{power} = \frac{dU}{dt} = i \cdot V = 5 \times 1.2 = 6 \text{ watt}$$

82 Ans: C

$$I = \frac{E}{R} (1 - e^{-\frac{Rt}{L}}) = \frac{12}{3} \left[1 - \exp\left(\frac{-(3\Omega)(2 \text{ ms})}{6 \text{ mH}}\right) \right]$$

$$= 4 (1 - e^{-1}) \text{ A} \approx 2.53 \text{ A}$$

$$U = \frac{1}{2} L I^2 \approx \frac{1}{2} (6 \text{ mH}) (2.53 \text{ A})^2 = 19.2 \text{ mJ}$$

83 ans: D

$$\frac{B^2}{\mu_0} = \frac{U}{\text{Volume}} = \frac{J}{\text{m}^3}$$

84 ans: B

The energy stored in the field is $\frac{B^2 \cdot \text{Volume}}{2 \mu_0}$

$$= \frac{(5 \times 10^{-3})^2 \left(\pi (0.2 \times 10^{-2})^2 \left(\frac{3}{\mu_0} \right) \right)}{2 \times 1.26 \times 10^{-7}}$$

$$\approx 3.8 \times 10^{-5}$$

80 ←

85 ans: E

تم وجز الله