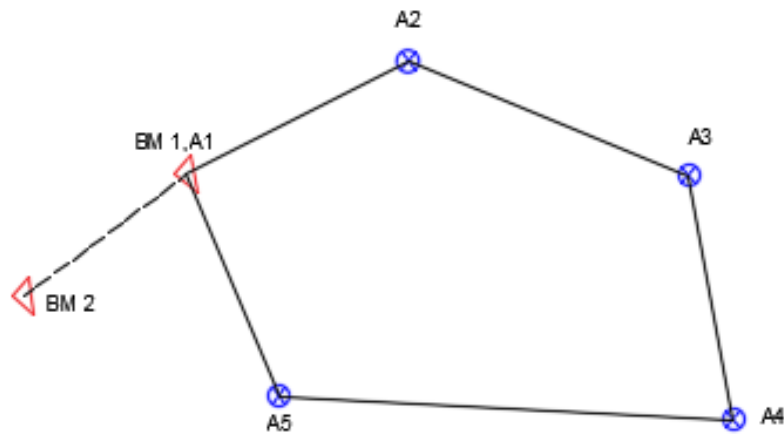


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Experiment no.8: Traverse measurement using Total station

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- Points A1, A2, A3, A4 and A5 are traverse points
- BM1 and BM2 are bench mark points

The aim of this experiment:

- Determine the coordinate of each traverse point (E, N)
- Determine the elevation of each traverse point (Z)

The following table must be filled in the field where,

HCR: Horizontal circle reading

Z.A: Zenith angle

SD: Slope distance

HD: Horizontal distance

VD: Vertical distance

HI: Height of instrument

RH: Reflector height

Station	Point	HCR	Z.A	SD	HD	VD	HI	RH
A1	BM2	0°0' 0''						
	A2	√						
A1	A2	0°0' 0''	√	√	√	√	√	√
	A5	√	√	√	√	√	√	√
A2	A3	0°0' 0''	√	√	√	√	√	√
	A1	√	√	√	√	√	√	√
A3	A4	0°0' 0''	√	√	√	√	√	√
	A2	√	√	√	√	√	√	√
A4	A5	0°0' 0''	√	√	√	√	√	√
	A3	√	√	√	√	√	√	√
A5	A1	0°0' 0''	√	√	√	√	√	√
	A4	√	√	√	√	√	√	√

Calculations:

Internal angle correction

- The sum of internal angle = $180 (n-2)$, where n: # of traverse points
- Angular misclosure = $\sum \text{internal angle} - 180 (n-2)$
- $\epsilon \text{ allowable} = c \sqrt{n}$, $c = 90''$

If Angular misclosure $< \epsilon \text{ allowable}$ then you error is accepted.

- You have to correct all of the internal angle using the following equation:

$$\text{Correction} = - \frac{\text{Misclosure error}}{n} \quad (\text{Note: all internal angle have the same correction})$$

$$\text{Corrected angle} = \text{observed angle} + \text{correction}$$

Azimuth calculation

- $\alpha_{A1-BM2} = \tan^{-1} \frac{EBM2-EA1}{NBM2-NA1}$
- Find the azimuth for each traverse leg. (α_{A1-A2} , α_{A2-A3} ,etc)

Horizontal distances

- The accepted difference between any two reading : $\Delta \ell = (0.0007 \ell + 0.03)$
Then find the average value for length of each traverse leg (Horizontal distances)

For example, $\ell_{A1 A2} - \ell_{A2 A1} < \Delta \ell$

$$\ell_{\overline{A1 A2}} = (\ell_{A1 A2} + \ell_{A2 A1}) / 2$$

Coordinates and their corrections

- $\Delta E = \ell_{\text{avg}} \sin \alpha$
- $\Delta N = \ell_{\text{avg}} \cos \alpha$

Find the for all traverse leg: $(\Delta E_{12}, \Delta N_{12})$, $(\Delta E_{23}, \Delta N_{23})$, $(\Delta E_{34}, \Delta N_{34})$,.....

- For Departure error $(\delta \Delta E) = \sum \Delta E$
- For Latitude error $(\delta \Delta N) = \sum \Delta N$
- Total closing error $\delta = \sqrt{(\sum \Delta E)^2 + (\sum \Delta N)^2}$
- $\delta_{\text{allowable}} = 0.0009 (\sum \bar{L}) + 0.2$

- Dept. correction for traverse leg = $-\frac{\text{Leg length}}{\text{Sum of length}} * \text{Total Dept. error}$
- Lat. correction for traverse leg = $-\frac{\text{Leg length}}{\text{Sum of length}} * \text{Total Lat. error}$

For example, ΔE_{12} correction = $-\frac{L_{12 \text{ avg}}}{\Sigma L} * (\delta \Delta E)$

$$\Delta N_{12} \text{ correction} = -\frac{L_{12 \text{ avg}}}{\Sigma L} * (\delta \Delta N)$$

- Then find corrected coordinates

For example, $\Delta E_{12} \text{ corrected} = \Delta E_{12} \text{ calculated} + \Delta E_{12} \text{ correction}$

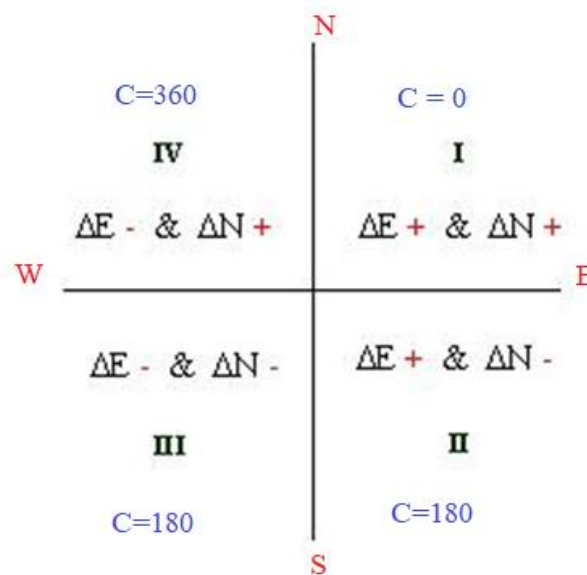
$$\Delta N_{12} \text{ corrected} = \Delta N_{12} \text{ calculated} + \Delta N_{12} \text{ correction}$$

$$E_2 = E_1 + \Delta E_{12} \text{ corrected}$$

$$N_2 = N_1 + \Delta N_{12} \text{ corrected}$$

- Based on the corrected coordinates find the value of the azimuth of each traverse leg.

$$\alpha = \tan^{-1} \frac{\Delta E \text{ corrected}}{\Delta N \text{ corrected}} + c$$



Elevation of traverse point

$$H_2 = H_1 + HI_{1+} + VD_{12} - RH_2$$

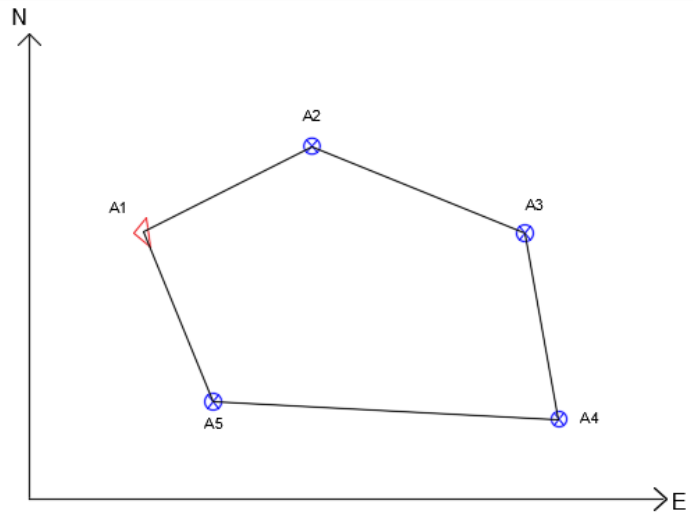
$$H_3 = H_2 + HI_{2+} + VD_{23} - RH_3$$

Find the calculated elevation for all points **then correct them.**

Submission:

- 1- Copy of Data
- 2- Full closed traverse calculation.
- 3- A3 drawing for traverse.

FRAME



Point	E (m)	N (m)	H (m)