



Faculty of Engineering and Technology

Department of Civil & Environmental Engineering

Surveying for Civil Engineering

ENCE337

HW (1)

“ Traverses ”

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Problem (1):

St.	Leg	L(m)	θ_{cor}	α_{cor}	$\Delta E(m)$	$\Delta N(m)$	$C_E(m)$	$C_N(m)$	$\Delta E_{cor}(m)$	$\Delta N_{cor}(m)$	E(m)	N(m)
A			80° 46' 36"								9256.41	8476.29
	AB	551.40		340° 46' 36"	-181.55	520.66	-0.07	-0.21	-181.62	520.45		
B			91° 42' 36"								9074.79	8996.74
	BC	318.25		252° 29' 12"	-303.50	-95.77	-0.04	-0.12	-303.54	-95.89		
C			122° 48' 36"								8771.25	8900.85
	CD	374.63		195° 17' 48"	-98.83	-361.36	-0.05	-0.14	-98.88	-361.50		
D			112° 41' 36"								8672.37	8539.35
	DE	219.78		127° 59' 24"	173.21	-135.28	-0.03	-0.08	173.18	-135.36		
E			132° 00' 36"								8845.55	8403.99
	EA	417.26		80° 00' 00"	410.92	72.46	-0.06	-0.16	410.86	72.30		
A											9256.41	8476.29
Σ		1881.32	540° 00' 00"		$\delta_E = 0.25$	$\delta_N = 0.71$	$-0.25 = -\delta_E$	$-0.71 = -\delta_N$	0.00	0.00	$= E_A$	$= N_A$

$$= E_{end} - E_{start} \quad = N_{end} - N_{start}$$

$$\varepsilon_{misc}^{(ang)} = \left(\sum \theta \right) - 180(n - 2) = 539^\circ 57' 00'' - 540^\circ 00' 00'' = 00^\circ 03' 00''$$

$$C_{ang} = \frac{00^\circ 03' 00''}{5} = 00^\circ 00' 36''$$

Sample Calculations (First three rows):

$$\theta_{A(cor)} = 80^\circ 46' 00'' + 00^\circ 00' 36'' = 80^\circ 46' 36''$$

$$\alpha_{AB(cor)} = 260^\circ 00' 00'' + 80^\circ 46' 36'' = 340^\circ 46' 36''$$

$$\Delta E_{AB} = 551.4 \sin(340^\circ 46' 36'') = -181.55 \text{ m}$$

$$\Delta N_{AB} = 551.4 \cos(340^\circ 46' 36'') = 520.66 \text{ m}$$

$$C_{E(AB)} = -0.25 \left(\frac{551.40}{1881.32} \right) = -0.07 \text{ m}$$

$$C_{N(AB)} = -0.71 \left(\frac{551.40}{1881.32} \right) = -0.21 \text{ m}$$

$$\Delta E_{AB(\text{cor})} = -181.55 + (-0.07) = -181.62 \text{ m}$$

$$\Delta N_{AB(\text{cor})} = 520.66 + (-0.21) = 520.45 \text{ m}$$

$$E_{B(\text{cor})} = 9256.41 + (-181.62) = 9074.79 \text{ m}$$

$$N_{B(\text{cor})} = 8476.29 + (520.45) = 8996.74 \text{ m}$$

Assuming urban area surveying:

$$\left(\varepsilon_{(\text{ang})}^{\text{misc}} = 180'' \right) > \left(\varepsilon_{(\text{ang})}^{\text{all}} = 60\sqrt{5} = 134'' \right) \Rightarrow \text{Not OK, Field work should be repeated}$$

$$\left(\delta_{\text{Total}} = \sqrt{0.25^2 + 0.71^2} = 0.75 \text{ m} \right) < \left(\delta_{\text{all}} = 0.0006(1881.32) + 0.20 = 1.33 \text{ m} \right) \Rightarrow \text{OK}$$

Problem (2):

$$\alpha_{BA} = 90^\circ + \tan^{-1} \left(\frac{180067.29 - 178658.08}{176000.14 - 166238.10} \right) = 98^\circ 12' 51'' \text{ (Known Azimuth)}$$

$$\alpha_{EF} = 90^\circ + \tan^{-1} \left(\frac{177510.91 - 173371.62}{168816.43 - 164095.24} \right) = 131^\circ 14' 33'' \text{ (Known Azimuth)}$$

$$\alpha_{BC} = \alpha_{BA} + \theta_B = 98^\circ 12' 51'' + 138^\circ 59' 50'' = 237^\circ 12' 41''$$

$$\alpha_{CD} = \alpha_{CB} + \theta_C = 417^\circ 12' 41'' + 167^\circ 34' 45'' = 224^\circ 47' 26''$$

$$\alpha_{DE} = \alpha_{DC} + \theta_D = 404^\circ 47' 26'' + 75^\circ 24' 40'' = 120^\circ 12' 06''$$

$$\alpha_{EF} = \alpha_{ED} + \theta_E = 300^\circ 12' 06'' + 191^\circ 01' 40'' = 131^\circ 13' 46''$$

$$\varepsilon_{misc} = \alpha_{EF} - \alpha_{EF(\text{known})} = 131^\circ 13' 46'' - 131^\circ 14' 33'' = -47''$$

(ang)

$$\alpha_{BC(\text{cor})} = \alpha_{BC} + \left(-\frac{\varepsilon_{misc}}{4} \right) = 237^\circ 12' 53''$$

$$\alpha_{CD(\text{cor})} = \alpha_{CD} + \left(-2\frac{\varepsilon_{misc}}{4} \right) = 224^\circ 47' 50''$$

$$\alpha_{DE(\text{cor})} = \alpha_{DE} + \left(-3\frac{\varepsilon_{misc}}{4} \right) = 120^\circ 12' 41''$$

$$\alpha_{EF(\text{cor})} = \alpha_{EF} + \left(-4\frac{\varepsilon_{misc}}{4} \right) = 131^\circ 14' 33''$$

$$E_C = E_B + L_{BC} \sin(\alpha_{BC}) = 166238.10 + 1838.30 \sin(237^\circ 12' 53'') = 164692.63 \text{ m}$$

$$N_C = N_B + L_{BC} \cos(\alpha_{BC}) = 180067.29 + 1838.30 \cos(237^\circ 12' 53'') = 179071.86 \text{ m}$$

$$E_D = E_C + L_{CD} \sin(\alpha_{CD}) = 164692.63 + 1702.98 \sin(224^\circ 47' 50'') = 163492.71 \text{ m}$$

$$N_D = N_C + L_{CD} \cos(\alpha_{CD}) = 179071.86 + 1702.98 \cos(224^\circ 47' 50'') = 177863.42 \text{ m}$$

$$E_E = E_D + L_{DE} \sin(\alpha_{DE}) = 163492.71 + 697.83 \sin(120^\circ 12' 41'') = 164095.76 \text{ m}$$

$$N_E = N_D + L_{DE} \cos(\alpha_{DE}) = 177863.42 + 697.83 \cos(120^\circ 12' 41'') = 177512.28 \text{ m}$$

$$\delta_E = E_E - E_{E(Known)} = 164095.76 - 164095.24 = 0.52 \text{ m}$$

$$\delta_N = N_E - N_{E(Known)} = 177512.28 - 177510.91 = 1.37 \text{ m}$$

$$E_{c(cor)} = E_c + -\delta_E \left(\frac{L_{BC}}{L_{BC} + L_{CD} + L_{DE}} \right) = 164692.63 + -0.52 \left(\frac{1838.30}{4239.11} \right) = 164692.40 \text{ m}$$

$$N_{c(cor)} = N_c + -\delta_N \left(\frac{L_{BC}}{L_{BC} + L_{CD} + L_{DE}} \right) = 179071.86 + -1.37 \left(\frac{1838.30}{4239.11} \right) = 179071.27 \text{ m}$$

$$E_{D(cor)} = E_D + -\delta_E \left(\frac{L_{BC} + L_{CD}}{L_{BC} + L_{CD} + L_{DE}} \right) = 163492.71 + -0.52 \left(\frac{3541.28}{4239.11} \right) = 163492.28 \text{ m}$$

$$N_{D(cor)} = N_D + -\delta_N \left(\frac{L_{BC} + L_{CD}}{L_{BC} + L_{CD} + L_{DE}} \right) = 177863.42 + -1.37 \left(\frac{3541.28}{4239.11} \right) = 177862.28 \text{ m}$$

$$E_{E(cor)} = E_E + -\delta_E \left(\frac{L_{BC} + L_{CD} + L_{DE}}{L_{BC} + L_{CD} + L_{DE}} \right) = 164095.76 + -0.52 \left(\frac{4239.11}{4239.11} \right) = 164095.24 \text{ m} = E_{E(known)}$$

$$N_{E(cor)} = N_E + -\delta_N \left(\frac{L_{BC} + L_{CD} + L_{DE}}{L_{BC} + L_{CD} + L_{DE}} \right) = 177512.28 + -1.37 \left(\frac{4239.11}{4239.11} \right) = 177510.91 \text{ m} = N_{E(known)}$$

Assuming urban area surveying:

$$\left(\left| \begin{matrix} \varepsilon_{misc} \\ \varepsilon_{(ang)} \end{matrix} = 47'' \right| \right) < \left(\begin{matrix} \varepsilon_{all} \\ \varepsilon_{(ang)} \end{matrix} = 60\sqrt{4} = 120'' \right) \Rightarrow OK$$

$$\left(\delta_{Total} = \sqrt{0.52^2 + 1.37^2} = 1.47 \text{ m} \right) < \left(\delta_{all} = 0.0006(4239.11) + 0.20 = 2.74 \text{ m} \right) \Rightarrow OK$$