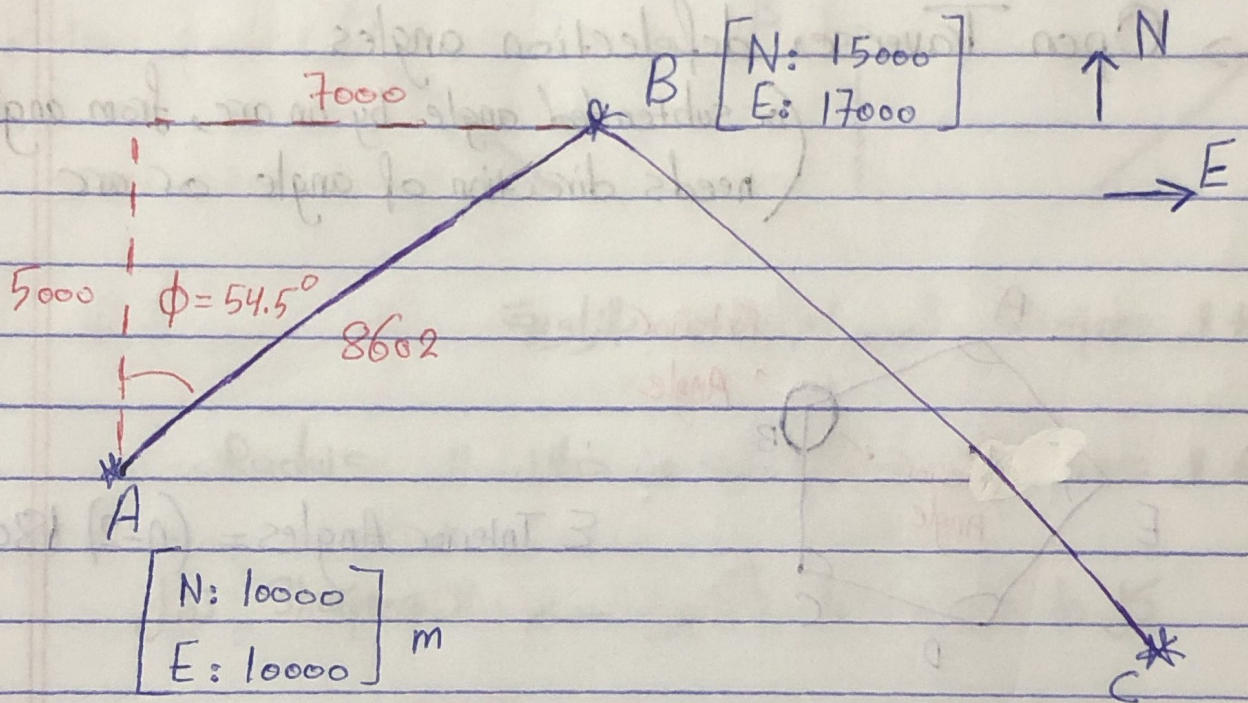


Lecture #5

* Horizontal Alignment:

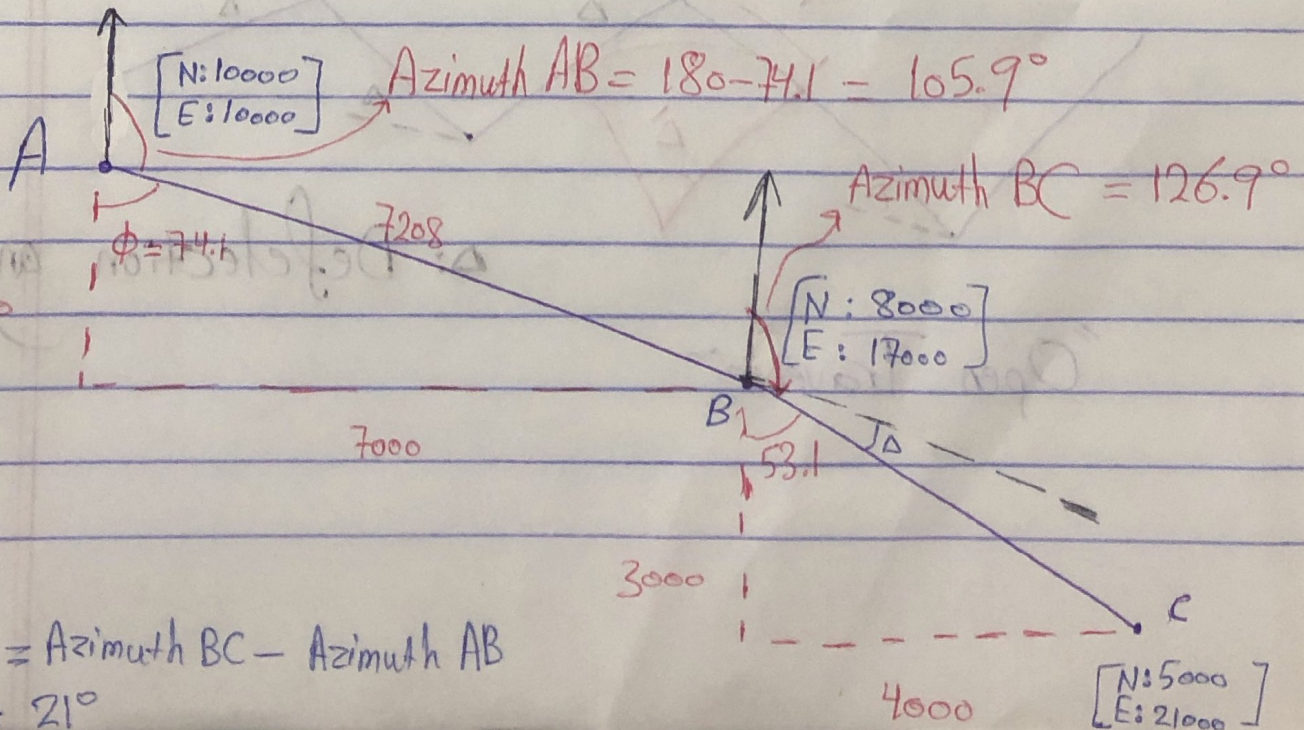
Coordinates - azimuth and distance - circular curves



Azimuth AB = 54.5°

(انحراف الخط عن الشمال)
N

$N: 7000$
 $E: 21000$



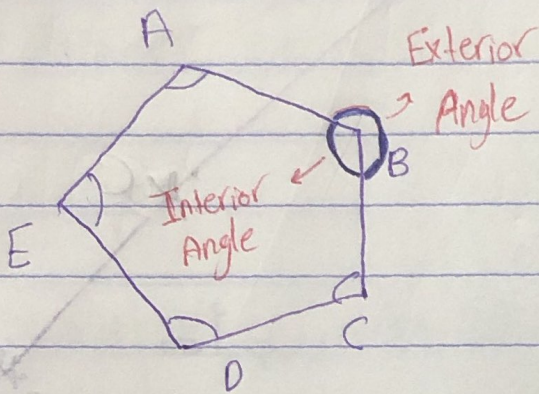
$\Delta = \text{Azimuth BC} - \text{Azimuth AB}$
 $= 21^\circ$

* From Surveying there are two types of angles:

→ Closed Traverse: interior or exterior angles

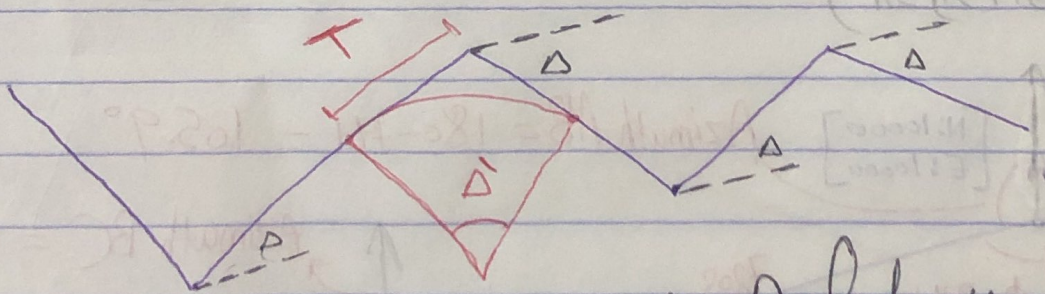
→ Open Traverse: deflection angles

(or subtended angle by an arc, from angle, this needs direction of angle or arc)



$$\Sigma \text{ Interior Angles} = (n-2) 180$$

"Closed Traverse"

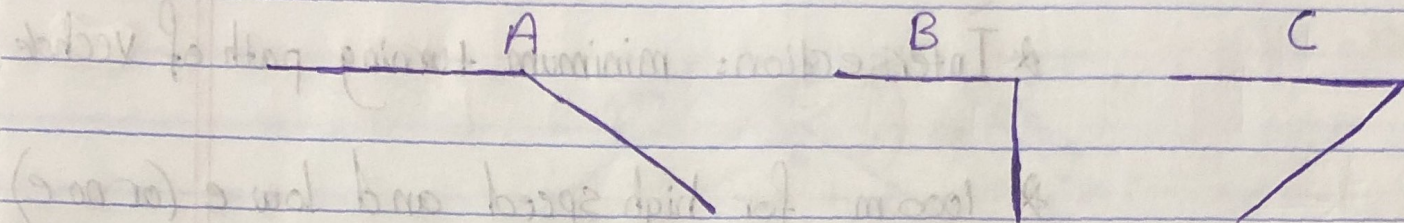


Δ: Deflection angles

"Open Traverse"

* Sharpness of curve:

Q: Who is the most sharpness curve of:



* Sharpness ليس له علاقة بالزاوية

* Sharpness كلما زاد راديسه من خلال ال Radius

كل ما كانت R أكبر ← ال Sharpness تقل

* The large of R → The smoother of the curve
(The less sharpness " " ")

* Minimum Radius:

① Highway : * way link : 25 m (30 km/h, $e_{max} = 0.1$)

* Intersection: minimum turning path of vehicle

* 1000 m for high speed and low e (or no e)

* $R = \infty$ لا يوجد R maximum R يوجد *
بما أن $R = \infty$ لا يوجد R maximum R يوجد *

② Rail Road : * TGV : ≈ 4000 m, min. 3200 m

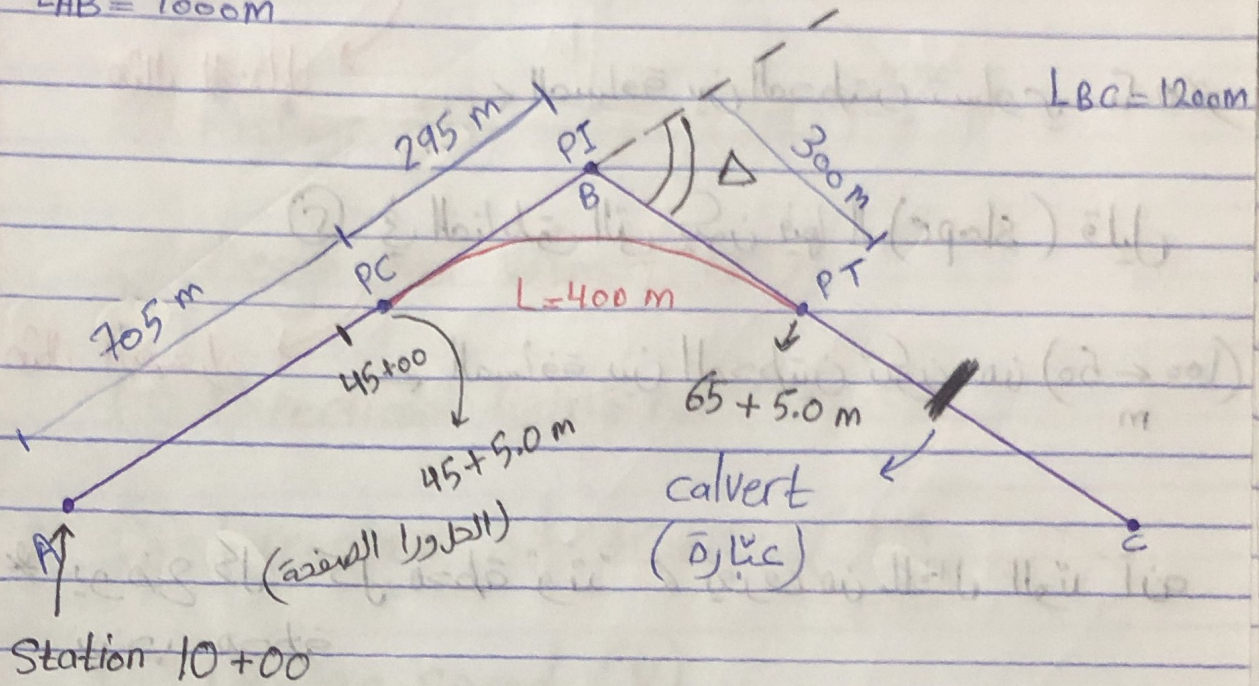
* Min. for urban secondary or yard tracks,
Montreal, 52 m (rubber tires)

* Function of train car length and distance between
train car truck $\rightarrow \sim 18$ m

* Stations (most common and default for this course):
100ft, 20 m

$L_{AB} = 1000m$

$L_{BC} = 1200m$



* length between 2 stations (In USA) = 100ft
= 100'

'	: ft
"	: Inch

* length between 2 stations [In palestine (mountains)]

= 20 m

← يعني كل 20 متر يكون عندى محطة

* في الصحراء ، تصل المسافة بين المحطتين إلى 100 متر

* علامة : ① في المناطق التي يكون فيها الـ (slope) كبير

← المسافة بين المحطتين تساوي 20 متر مثال الجبال

② في المناطق التي يكون فيها الـ (slope) قليل

← المسافة بين المحطتين تكون من (50 ← 100) م مثال الصحراء

* يوضع عند كل محطة "وتد" ، يُعرف من خلال الـ "وتد" أنه يوجد محطة

* عند كل محطة نضع قديس عتا Cut أو Fill

$$\frac{705 \text{ m}}{20 \text{ m}} = 35.25$$

← أول محطة رمزنا لها بـ (10+00)

يعني عند PC تكون المحطة : 45+5.0 m

$$(0.25 * 20) \leftarrow$$

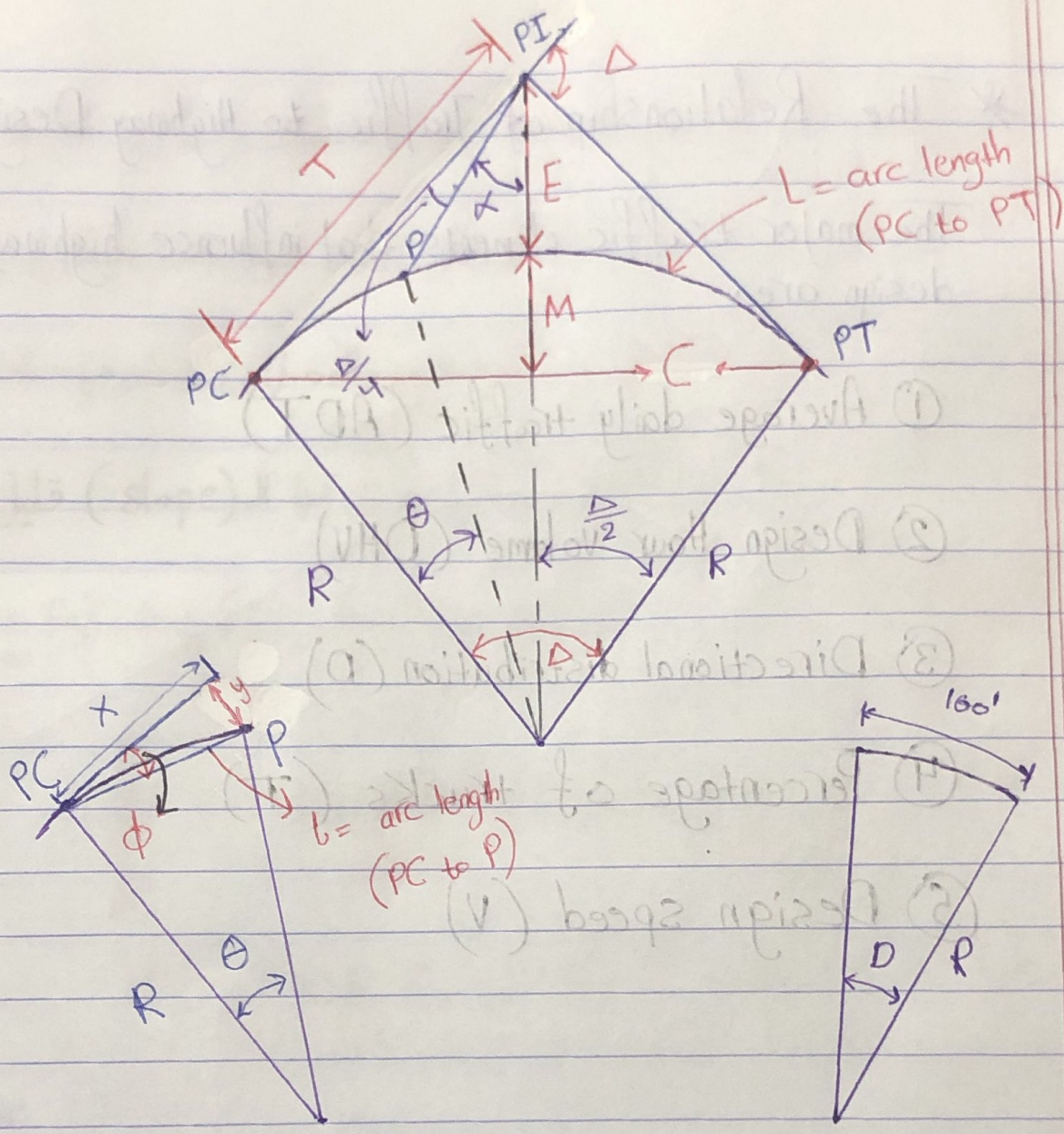
* Station 82 + x

$$\rightarrow (0.0 \rightarrow 19.99) \text{ m}$$

* The Relationship of Traffic to Highway Design:

The major traffic elements that influence highway design are:

- ① Average daily traffic (ADT)
- ② Design Hour Volume (DHV)
- ③ Directional distribution (D)
- ④ Percentage of trucks (T)
- ⑤ Design speed (V)



$b =$ arc length (PC to P)

$D =$ central angle for 100' arc

Where : PC: Point of curvature (Beginning of curve)

PT: Point of tangency (End of curve)

PI: Point of intersection

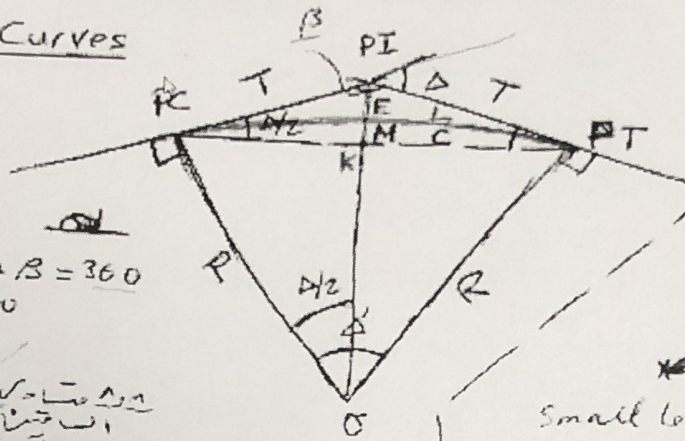
Δ : Deflection (central) angle

L : length of curve (PC to PT)

b : // // arc (PC to P)

- θ : central angle for arc length l
- T : Tangent length (PC to PI and PT to PI)
- α : Deflection angle at PI between tangent and line from PI to P
- β : Deflection angle at PC between tangent and chord for P
- X : tangent distance from PC to P
- Y : tangent offset P
- D : Degree of curvature
- R : Radius of curve
- E : External distance
- M : middle ordinate
- C : chord length

Circular Curves



$$\Delta + \beta = 180$$

$$\Delta' + 90 + 90 + \beta = 360$$

$$\Delta' + \beta = 180$$

$$\therefore \Delta' = \Delta$$

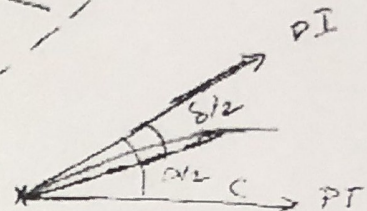
PC, PI, PT, l
 180 = $\frac{R \pi}{180} S_1$
 $\therefore \Delta/2 = \dots$

In Δ PI, PT, O :

$$\tan \Delta/2 = T/R$$

$$\therefore T = R \tan \Delta/2$$

Laying out Circular Curves



Small letter for l, c, s

Given any length of arc l

$$l = \frac{R \pi}{180} S_1$$

$$\text{Solve } S_1 = \frac{180 l}{\pi R}$$