

Q1 →

CD \ AB	00	01	11	10
00		1		
01	1	1	1	1
11		1	1	1
10		1	1	1

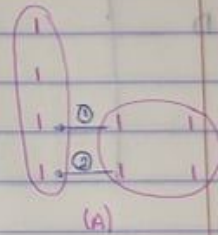
$A'B$  (circled in original)  
 $CD'$  (circled in original)  
 $AC$  (circled in original)

(i) Determine the values of input at which hazard may occur

A) ① A B C D

1 1 1 1  
1 1 0 1

→ C → changed



② A B C D

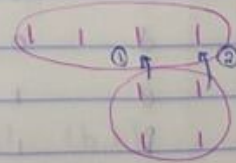
1 0 1 1  
1 0 0 1

→ C → changed

B) ① A B C D

1 1 1 1  
0 1 1 1

→ A changed



② A B C D

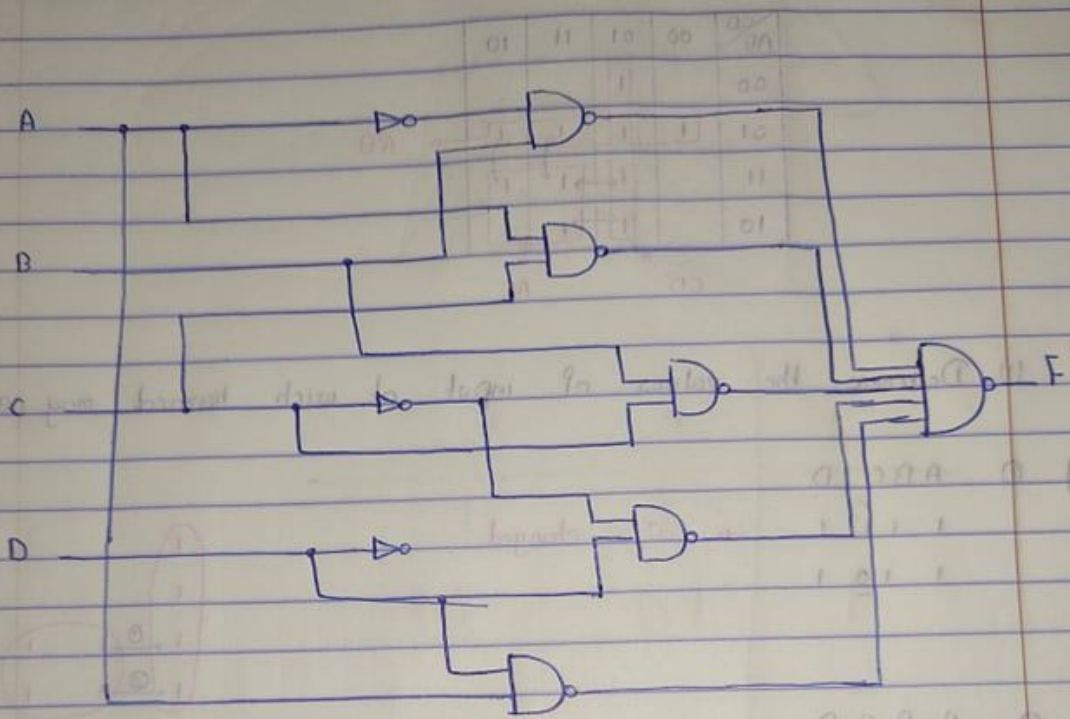
1 1 1 0  
0 1 1 0

→ A changed

(B)

Q2) Draw the hazard free circuit (NAND-NAND)

$$F = \overline{A}B + AC + \overline{C}D + AD + BC$$



Q2		D	C	Q	Stability	After
a	0	0	0	0	Yes	d, e, c
b	0	0	0	1	Yes	a, f, g, h
c	0	0	1	0	Yes	a, g
d	0	0	1	1	Yes	b, h
e	1	0	0	0	Yes	a
f	1	0	0	1	Yes	b, g, h
g	1	1	0	0	Yes	c, e
h	1	1	1	1	Yes	d, f

\* Primitive tables :

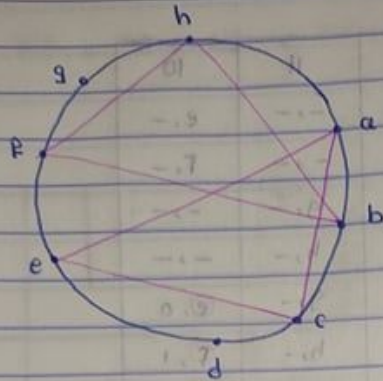
	a	00	01	11	10
a		a, 0	c, -	-,-	e, -
b		b, 1	d, -	-,-	f, -
c		a, -	a, 0	g, -	-,-
d		a, -	b, 1	h, -	-,-
e		a, -	-,-	g, -	e, 0
f		b, -	-,-	h, -	f, 1
g		-,-	c, -	g, 0	<del>f, -</del>
h		-,-	d, -	h, 1	f, -

\* Implication chart

b	X						
c	✓	X					
d	X	X	X				
e	✓	X	✓	X			
f	X	✓	X	X	X		
g	X	X	✓	X	X	X	
h	X	✓	X	✓	X	✓	X
	a	b	c	d	e	f	g

⇒ Computable Pairs are : (a,c), (a,e), (b,f), (b,h)  
 (c,e), (c,g), (d,h), (f,h)

\* Diagram :



- 1)  $(a, c, e) \rightarrow a$
- 2)  $(b, f, h) \rightarrow b$
- 3)  $(c, g) \rightarrow c$
- 4)  $(d, h) \rightarrow d$

→

	00	01	11	10
a	a,0	c,0	g,-	e,0
b	a,-	d,1	h,+	-,-
c	b,1	d,-	h,1	f,1
d	-,-	c,-	g,0	f,-

⇓

	00	01	11	10
a	ⓐ,0	ⓐ,0	d,-	ⓐ,0
b	a,-	ⓑ,1	c,-	-,-
c	c,1	b,-	Ⓒ,1	Ⓒ,1
d	-,-	a,-	d,0	c,-

∴ we have 4 states (↔) we need 2 state variables

State Assignment : a = 00

b = 01

c = 11

d = 10

\* Output

\* Input

DC y <sub>1</sub> y <sub>2</sub>	00	01	11	10
00	0	0	X	0
01	X	1	X	X
11	1	X	1	1
10	X	X	0	X

$Q = y_2$

⇒

DC

DC y <sub>1</sub> y <sub>2</sub>	00	01	11	10
00	00	00	10	00
01	00	01	11	XX
11	11	01	11	11
10	XX	00	10	11

y<sub>1</sub> y<sub>2</sub>

DC

DC y <sub>1</sub> y <sub>2</sub>	00	01	11	10
00	0	0	1	0
01	0	0	1	X
11	1	0	1	1
10	X	0	1	1

$y_1 = DC + y_1c'$

DC y <sub>1</sub> y <sub>2</sub>	00	01	11	10
00	0	0	0	0
01	0	1	1	X
11	1	1	1	1
10	X	0	0	1

$y_2 = y_1c' + y_2c$

\* Excitation Table For SR latches

y	x	S	R
0	0	0	X
0	1	1	0
1	0	0	1
1	1	X	0

(1).

01	00	01	11	10
00	0	0	1	0
01	0	0	1	X
11	X	0	X	X
10	X	0	X	X

$S_1 = DC$

(3).

00	00	01	11	10
00	X	X	0	X
01	X	X	0	X
11	0	1	0	0
10	X	1	0	0

$R_2 = D'C$

(2).

01	00	01	11	10
00	0	0	0	0
01	0	X	X	X
11	X	X	X	X
10	X	0	0	1

$S_2 = y_1 c'$

(4).

01	00	01	11	10
00	X	X	X	X
01	1	0	0	X
11	0	0	0	0
10	X	X	X	0

$R_2 = y_1 c'$

\*\* Circuit using SR-latch:

