



## Computer Organization

### ENCS 238

### Homework Set #1

Second semester 2012/2013

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#### Endianness

Q1) For the following data structures, draw the big-endian and little-endian layouts

```
1. struct {  
    double i; //0x1112131415161718  
};
```

```
2. struct {  
    int i; //0x11121314  
    int j; //0x15161718  
};
```

```
3. struct {  
    short i; //0x1112  
    short j; //0x1314  
    short k; //0x1516  
    short l; //0x1718  
};
```

## Stack-Oriented Instructions

Q2)

- a) Convert the expression  $A + B - C$  to postfix notation. Show the steps involved.
- b) Is the result equivalent to  $(A + B) - C$  or  $A + (B - C)$  ?
- c) Does it matter?

Q3) Convert the following formulas from infix to reverse Polish:

- a)  $A + B + C + D + E$
- b)  $(A + B) * (C + D) + E$
- c)  $(A * B) + (C * D) + E$
- d)  $(A - B) * (((C - D * E)/F)/G) * H$

## Shift Left/Right Operations

Q4)

- a) Compute Arithmetic and Logical Left/Right Shift on the following numbers using 9-bit binary representation (two's Complement).
  - a. Number:  $(27)_{10}$ , Shift Left 3 positions.
  - b. Number:  $(155)_{10}$ , Shift Left 3 positions.
  - c. Number:  $(-22)_{10}$ , Shift Left 2 positions.
  - d. Number:  $(123)_{10}$ , Shift Right 3 positions.
  - e. Number:  $(-167)_{10}$ , Shift Right 4 positions.
- b) It was stated that Arithmetic Shift Left correspond to multiplication by a power-of-2 integer if there is no overflow. Demonstrate this fact for the above numbers (a, b, c). Does this fact hold for Logical Shift Left? For cases where overflow occurs, how many additional bits we need to avoid overflow and make the shift operation result correspond to multiplication operation?
- c) It was stated that Arithmetic Shift Right correspond to division by a power-of-2 integer. Demonstrate this fact for the above numbers (d, e). Does this fact hold for Logical Shift Right? In what way are numbers rounded using arithmetic right shift (e.g., round toward  $-\infty$  or toward  $+\infty$ )?

## Assembly Programs

**Q5)** Compare Zero-, one-, two-, and three-address machines by writing programs to compute the following expression:

$$(A - B) * (((C - D * E)/F)/G) * H$$

0 Address	1 Address	2 Address	3 Address
PUSH M	LOAD M	MOVE (X ← Y)	MOVE (X ← Y)
POP M	STORE M	ADD (X ← X + Y)	ADD (X ← Y + Z)
ADD	ADD M	SUB (X ← X - Y)	SUB (X ← Y - Z)
SUB	SUB M	MUL (X ← X × Y)	MUL (X ← Y × Z)
MUL	MUL M	DIV (X ← X/Y)	DIV (X ← Y/Z)
DIV	DIV M		

**Q6)** Given the Assembly code sample below:

- Add comments to each instruction showing what does it do?
- How many times the code between **loop** Label and **finish** Label will be executed (i.e. loop iterations)?
- Assuming '**a0**' is input register (16-bit) holding value 0xFA27 (in Hexadecimal), and '**v0**' is output register, compute the output value in '**v0**'.
- If the processor doesn't support **move** instruction, how we could re-write the code below to remove **move** instructions? With what other instructions we can replace them?

```

    move r0, 0
    move r3, 0
    move r1, 1
loop: BRE  r1, 1024, finish
    add  r0, r0, r1
    and  r2, r0, a0
    add  r3, r3, r2
    ashl r1, r1, 1
    BR  loop
finish:
    move v0, r3

```

## Addressing Modes

**Q7)** An address field in an instruction contains decimal value 14. Where is the

Corresponding operand located for

- a) Immediate addressing?
- b) Direct addressing?
- c) Indirect addressing?
- d) Register addressing?
- e) Register indirect addressing?

**Q8)** A PC-relative mode branch instruction is 3 bytes long. The address of the instruction, in decimal, is 256028. Determine the branch target address if the signed displacement in the instruction is  $-31$ .