

## **Contents:**



## **Question 1: Superposition Technique**

1- find the voltage and current on  $R_3$ :



2- Apply Superposition theorem: By source V1: The voltage on  $R_3$  equal 6.569 volt The current across  $R_3$  equal 2.986 mA (down) QOSSAY\_RIDA\_1211553  $R<sub>2</sub>$ R<sub>4</sub>  $17.52V$ 6.569 4.174V  $1.2K$ 390 R<sub>1</sub> ွဲ820  $2.2K$ R<sub>3</sub> R<sub>5</sub> 680  $25V$ 25.00  $0V$ V1 QOSSAY RIDA 1211553 R<sub>4</sub>  $R<sub>2</sub>$ 9.125mA 6.139mA  $1.2K$ 2.986mA 390 6.139mA R<sub>3</sub>  $2.2K$ **R1**  $\delta$ 820  $\frac{2}{5}$ 680 R<sub>5</sub>  $9.125mA$  $25V$ 125mA V1 4 | P a g e



By Superposition theorem:

Voltage on  $R_3$  = Voltage on  $R_3$  from V<sub>1</sub> + Voltage on  $R_3$  from V<sub>2</sub> Voltage on  $R_3 = 6.569 + 8.928 = 15.497$  volt

Current across  $R_3$  = Current across  $R_3$  from V<sub>1</sub> + Current across  $R_3$  from V<sub>2</sub>

Current across  $R_3$  = 2.986 (down) + 4.058 (down) = 7.044 mA (down)

3- Compare the results:

Result in Step 1:

Voltage on  $R_3$  = 15.5 volt Current across  $R_3$  = 15.497 volt

Result in Step 2:

Voltage on  $R_3$  = 7.044 mA (down) Current across  $R_3$  = 7.044 mA (down)

The results in each step are equal and this proves the validity of the Superposition theorem which states that in a linear circuit, the response (voltage or current) in any branch is equal to the algebraic sum of the responses produced by each independent source acting alone, while all the other sources are turned off. This theorem allows us to simplify complex circuits by breaking them down into smaller, simpler components that can be analyzed and combined to find the overall response of the circuit.

## **Question 2: Thevenin's Theorem & Maximum Power Transfer**

1- find the voltage and current on  $R_L$ :

Then the voltage on  $R_L$  equal 3.565 – 0 that equal 3.565 volt

Then the current across  $R_L$  equal 5.243 mA (down)



2- Plot the power of  $R_L$  versus the value of  $R_L$ :



The circuit:

We will define  $R_L$  as parameter from 100  $\Omega$  to 1.5K $\Omega$  then plot the power of  $R_L$  versus the value of  $R_L$  by using DC sweep.

And from the graph we see  $R_L$  equal 990.788  $\Omega$  when the power be maximum

The graph:





From this simulation  $V_{os}$  equal 8.742 – 0 that equal 8.742 volt





Now we can calculate  $R_{Thevenin}$ :

$$
R_{Thevenin} = \frac{V_{os}}{I_{sc}}
$$

$$
R_{Thevenin} = \frac{8.742}{(8.854 \times 10^{-3})}
$$

 $R_{Thevenin}$  = 987.35  $\Omega$ 

4- Compare the result for step2 & step3:

Result in Step 1:

 $R_L$  equal 990.788 Ω when the power be maximum Result in Step 2:

 $R_{Thevenin}$  = 987.35  $\Omega$ 

We see:

The  $R_{Thevenin}$  is equal to  $R_L$  that has a maximum power

5- Thevenin equivalent circuit:

From the simulation for thevenin equivalent circuit we see:

The voltage on  $R_L$  equal 3.565 – 0 that equal 3.565 volt The current across  $R_L$  equal 5.243 mA (down)



6- Compare the result for step1 & step5:

Result in Step 1:

The voltage on  $R_L$  equal 3.565 – 0 that equal 3.565 volt The current across  $R_L$  equal 5.243 mA (down)

Result in Step 5:

The voltage on  $R_L$  equal 3.565 – 0 that equal 3.565 volt The current across  $R_L$  equal 5.243 mA (down)

Result in step1 is equal result in step5 that mean, The Thevenin equivalent circuit is a way of representing a complex electrical network with a single voltage source and single impedance (resistor), to simplify analysis and design.



2- Find  $\tau$ :

 $V_c(\tau) =$  $V_c(\tau) =$ 





Find  $\tau$  theoretically:

 $\iota - \kappa * c$  $V(\mathcal{A})$  is a set of  $\mathcal{A}$  in the set of  $\mathcal{A}$  is a set of  $\mathcal{A}$  is a set of  $\mathcal{A}$  $\tau = R * C$  $\tau = 10 * 10^3 *$  $\tau = 10^{-3} s$ 

We see  $\tau$  theoretically is equal  $\tau$  from the graph of  $V_c(t)$ 

12 | P a g e







## 4- comment on each result:











