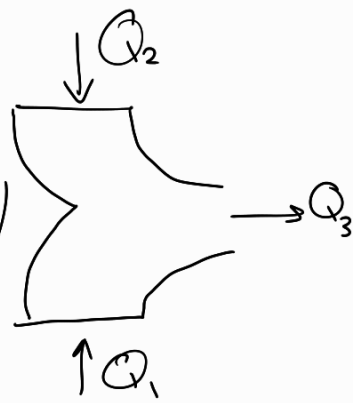


Wye, symmetrical clevis

$$Q_1 = Q_2 = 0.5 Q_3 \quad (\text{Symmetrical})$$

Areas: Calculated from WX14

$\frac{A_b}{A_c} \rightarrow C_0$ is obtained



C_i is calculated from

$$C_i = \frac{C_0}{\left(\frac{V}{V_i}\right)^2}$$

and then:

Branch $\frac{Q_i}{Q_0}$

$$\Delta P = \frac{C_i V_i^2}{2} \rightarrow \text{الضغط}$$

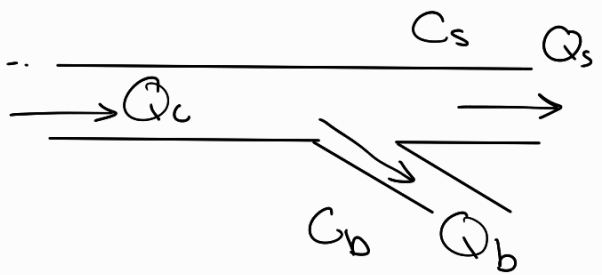
Smooth Wye of Type

we calculate $Q_s/Q_c, A_s/A_c$

to find C_s

or $Q_b/Q_c, A_b/A_c$

to find C_b

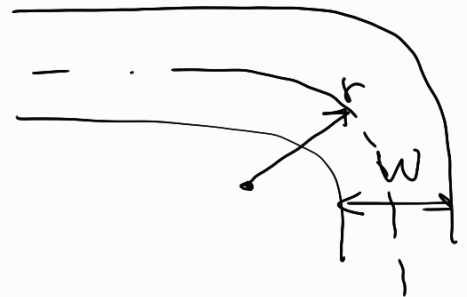


Elbow

$$r_i = 0.5W$$

$$r_o = 3W$$

$$\Delta P = C_0 \left(\frac{\Delta V^2}{2}\right)$$

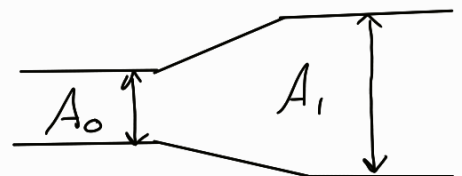


Transition Rectangular

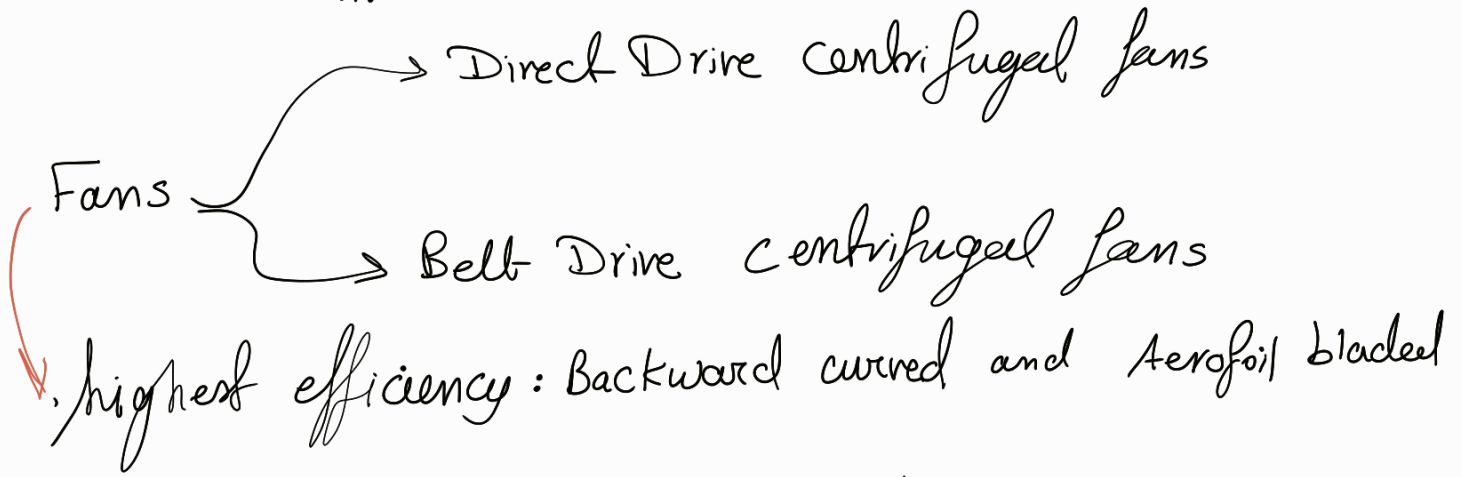
A_0/A_1 is found, β is Given

Then C_0

$\Delta P \rightarrow$ Take V from A_0



$$\Delta P = \left(\frac{1000 f L}{D_h} + \sum C \right) \left(\frac{AV^2}{2} \right)$$



Fan laws:

$$(CFM)_2 = (CFM)_1 \left(\frac{RPM_2}{RPM_1} \right)$$

Volume flowrate changes based on

Wanted

available

Static Pressure

$$SP_2 = SP_1 \left(\frac{RPM_2}{RPM_1} \right)^2$$

Diameter is changed of pulley

$$HP_2 = HP_1 \left(\frac{RPM_2}{RPM_1} \right)^3$$

Horse Power changes by diameter of pulley changing