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Exp 10 AC & DC power Analysis:-

Back to Def p 88

P_{av} : Real power (Average Power, Working Power) KW

Q : Reactive power KVAR

KVA: Apparent power $(S) = P_{av} + \Phi_j$ + lagging
 - leading

Power factor = $\frac{P_{av}}{(P_a) \leftarrow S} = \cos(\theta_v - \theta_i)$

→ Large KVAR (Q) is caused by inductive loads such as: Transformers / induction motors / Induction Generators and high intensity discharge lighting

→ Power factor correction:- Using Capacitors

* Maximum Power is reached by $R_{Load} = R_{Th}$

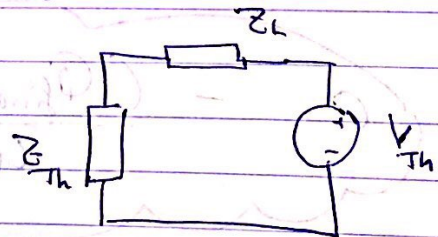
Efficiency = $\frac{P_{out}}{P_{in}} \times 100\%$ (%)

$P_{max} = \frac{1}{8} \frac{V_{Th}^2}{R_L}$

→ When $R_{load} = R_{in}$ efficiency = 50% Real part

* $Z_{Th} = R_{Th} + X_{Th} j$

* $Z_L = R_L + X_L j$



$I = \frac{V_{Th}}{Z_{Th} + Z_L}$

$P_{av} = \frac{1}{2} I^2 R_L$

Now for Max Power

$Z_L = Z_{Th}^*$

Same Real part and I_m Difference in direct

• Average Power: Resistor, $\frac{I^2 R}{2}$

Inductor: 0

Capacitor: 0

• $P_{\text{apparent}} = V_{\text{rms}} I_{\text{rms}}$

$P_{\text{av}} = P_a \cdot P_F = V_{\text{rms}} I_{\text{rms}} \cos(\theta_v - \theta_i)$

Now: P_F : 1. Resistor = 1

2. Inductor = 0

3. Capacitor = 0

4. Inductive: $0 < P_F < 1$

5. Capacitive: $0 < P_F < 1$

$Q = V_{\text{rms}} I_{\text{rms}} \sin(\theta_v - \theta_i)$

Resistor $Q_R = 0$

Inductor $Q_L = \frac{V_{\text{rms}}^2}{\omega L}$

Capacitor $Q_C = \frac{I_{\text{rms}}^2 \omega L}{\omega C} = -\omega C (V_{\text{rms}})^2$

$\cos = P_F$

$\theta = \tan^{-1} \left(\frac{Q}{P_{\text{av}}} \right)$

$Q = \frac{(Q_{\text{final}} - Q_{\text{initial}})}{\omega V_{\text{rms}}^2}$ ← correction of PF