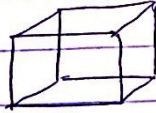


# Chapter 3:- Atomic and Ionic Arrangements

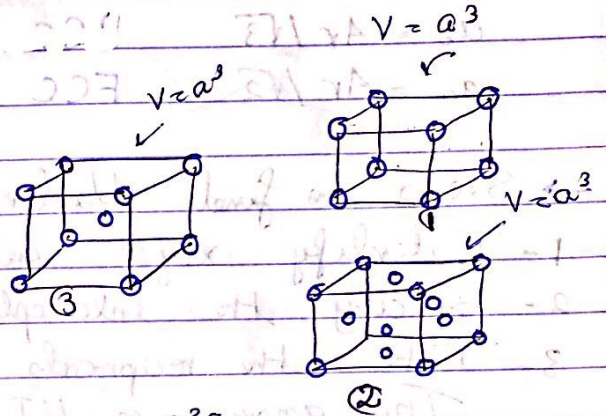
## Unit Cell



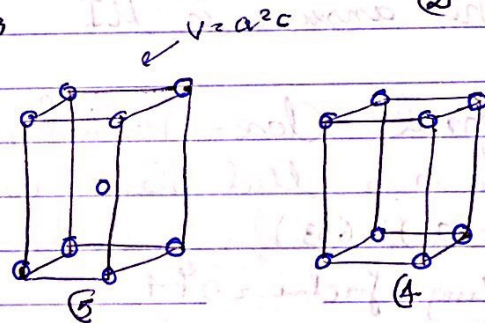
→ Crystalline materials = Long and Short Range Order

→ Types of Bravais lattices:-

- 1- Simple Cubic
- 2- Face Centered Cubic
- 3- Body Centered Cubic
- 4- Simple tetragonal
- 5- Body Centered tetragonal
- 6- Hexagonal ;  $v = a^2 c \cos 30$



→ Number of lattice points in Cubic Crystal Sys:-



SC = 1

BCC = 2

FCC = 4

• The rule:  $\frac{\text{lattice Point}}{\text{corner}} \times \frac{\text{corner}}{\text{cell}}$

→ Packing Factor :-

cut into 2D and collect atoms

$$= \frac{\left( \frac{\# \text{ of Atoms}}{\text{cell}} \right) \left( \frac{V \text{ of each atom}}{\text{atom}} \right)}{\left( \text{volume of U.C.} \right)}$$

$(a_0)^3$

largest value of Packing factor = 0.74

$$\rightarrow \text{Density } (\rho) = \frac{\left(\frac{\# \text{ of atoms}}{\text{cell}}\right) (\text{atomic mass})}{(V. \text{ of unit cell}) (N_A \text{ number})}$$

→ For each arrangement The relation between  $r$  and  $a_0$  is:-

$$a_0 = 2r \quad \text{S.C}$$

$$a_0 = 4r/\sqrt{3} \quad \text{BCC}$$

$$a_0 = 4r/\sqrt{2} \quad \text{FCC}$$

lattice parameter

→ Steps to find Miller indices:-

1- Identify  $x, y, z$  intercepts

2- Specify the intercepts fractional coordinates

3- Take the reciprocals for frac. coord.  $\left(\frac{x}{a}, \frac{y}{b}, \frac{z}{c}\right)$

The answer is MI

The Cube it self

→ Hexagonal Close-Packed:

There is a mid plane with three atoms

$$C = (a)(1.633)$$

Packing factor = 0.74

$n = 6$  (Number of atoms)

→ Crystal Structure of ionic materials:-

- ensure electrical neutrality
- Ions of different sizes should be packed efficiently.
- Anions are placed at the normal sites
- Cations are placed at one or more of interstitial sites

Note:- Correction Factor

• Bragg's law:- X-Ray diffraction

integer  $\rightarrow n \lambda = 2d \sin \theta$

$\rightarrow$  distance between atomic layers  
the wave length of x-ray length

