

Demand factor = $\frac{\text{Max demand}}{\text{Connected load}}$

Affects economics

Load factor = $\frac{\text{Average load}}{\text{Max demand}}$

Diversity factor = $\frac{\sum \text{individual Max demand}}{\text{Maximum demand of group}}$

Utilization factor = $\frac{\text{maximum generator demand}}{\text{generator capacity}}$

Plant capacity factor = $\frac{E}{C \times t}$

↑ ↓
capacity of the plant Total number of
in kW hours

↑ ↓
energy produced (kWh) in a given period

Plant use factor = $\frac{E}{C \times t}$

Actual number of
hours the plant has
been in operation

Unit cost = $\frac{\text{Total cost}}{\text{capacity}}$

input-output relation

⁶
 $I = a + bL + cL^2 + dL^3$

↑
input

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↑
output

Efficiency

$$\eta = \frac{L}{I} = \frac{L}{a+bL+CL^2+dL^3}$$

Heat rate

$$HR = \frac{I}{L} = \frac{a+bL+CL^2+dL^3}{L}$$

Incremental rate

$$IR = \frac{dI}{dL}$$

Tariff for electrical energy

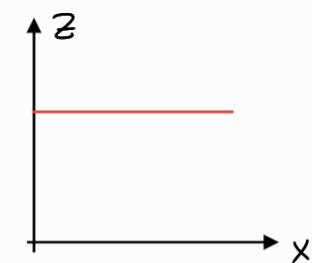
$$Z = ax + by + c$$

Diagram illustrating the components of the total bill:

- a : energy consumed KWh
- b : energy per kW
- c : max demand kW
- Total amount of bill for a period
- Rate per kW of Max demand
- Constant consumer charge

Flat demand rate

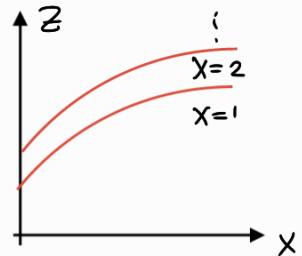
$Z = ax$
Bill depends on Max demand



used for street lighting

Hopkinson demand rate

$$Z = a+bx$$



used for industrial consumers

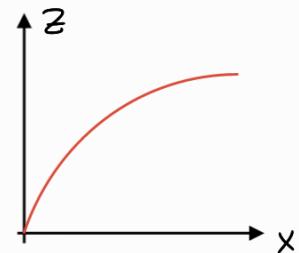
Straight meter rate

$$z = by$$

For Residential
and Commercial consumers

Block meter rate

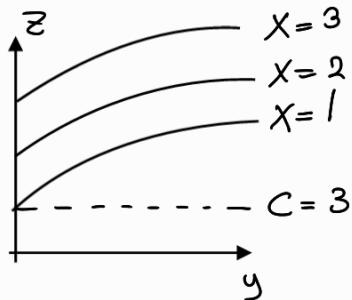
consumption ↑
charge ↓



used for industrial consumers

Doherty rate

$$z = ax + by + c$$



customer charge is added
(fuel ↑, wages . . .)

Economical analysis

Interest
Accumulated sum

$$S_n = P + iP = P(1+i)^n$$

Compounded

$$S = P \left(1 + \frac{i}{m}\right)^m$$

number of interest times per year

Amount of Payment

$$A = S \left(\frac{i}{(1+i)^n - 1} \right) = P \left(\frac{i}{1 - (1+i)^{-n}} \right)$$

Depreciation rate

$$\frac{A}{S} = \frac{i}{(1+i)^n - 1}$$

The original invested capital = Depreciation of the plant + Value of plant

$$P = \frac{\text{Depreciation of the plant}}{i} + \frac{\text{Value of plant}}{(1+i)^n - 1}$$

Methods to calculate depreciation rate

$$S.L.M.D = \frac{\text{Capital cost} - \text{Salvage value}}{\text{life of equipment}}$$

$$S.F.M.: A = \left(\frac{i}{(1+i)^n - 1} \right) (P-S)$$

$$U.M.: D \text{ of a given year} = \frac{\text{Capital capability in hrs}}{\text{number of units}} \times \text{Actual hrs}$$

$$A.M.: \text{Depreciation} = \Delta \text{ annual appraisals at end of each year}$$

Economic Selection

Total annual cost method

$$C = C_f + C_o$$

Annual fixed cost Annual operating cost

$$C_f = R \times P$$

fixed charge rate Principle

$$R = i + \frac{b}{(1+i)^n - 1} + t + s$$

D $\frac{i}{n}$ Takes insurance

To calculate average load \rightarrow Draw \rightarrow Area under/24 curve

lowest Bill when Load factor = 1

$$\frac{\text{Fixed cost}}{\text{Max demand}} + \frac{\text{Var. Cost}}{\text{Energy generated}}$$

$\xrightarrow{\text{Kw}}$ $\xrightarrow{\text{kwh}}$

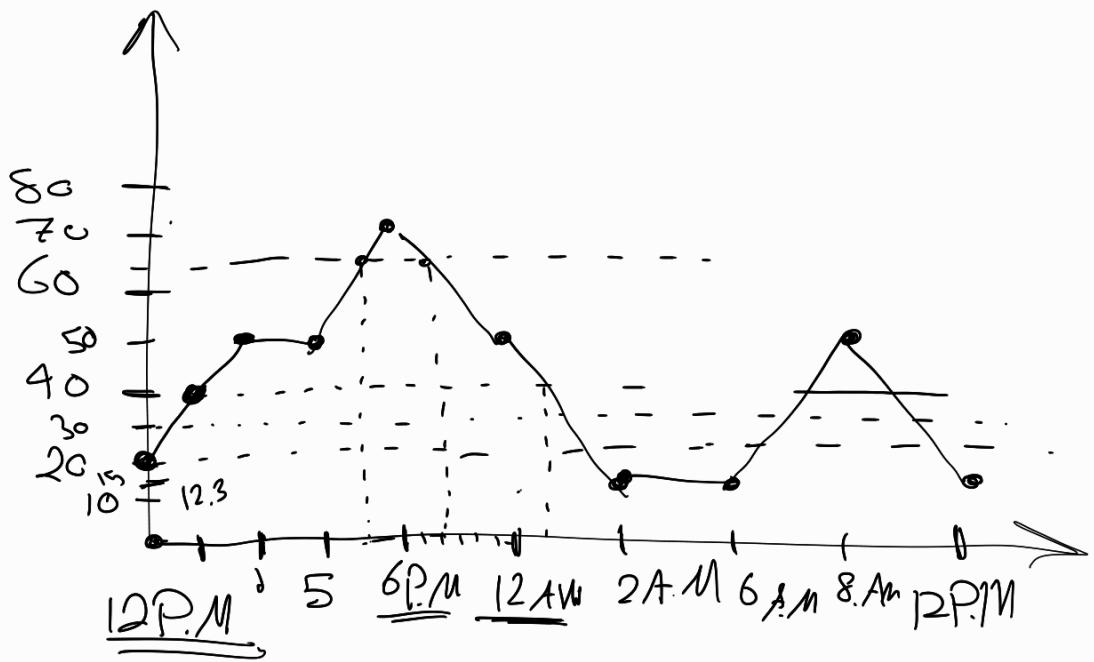
Fixed cost: \uparrow If load falls
Var. cost \uparrow Running cost

$\xrightarrow{\text{kg}}$

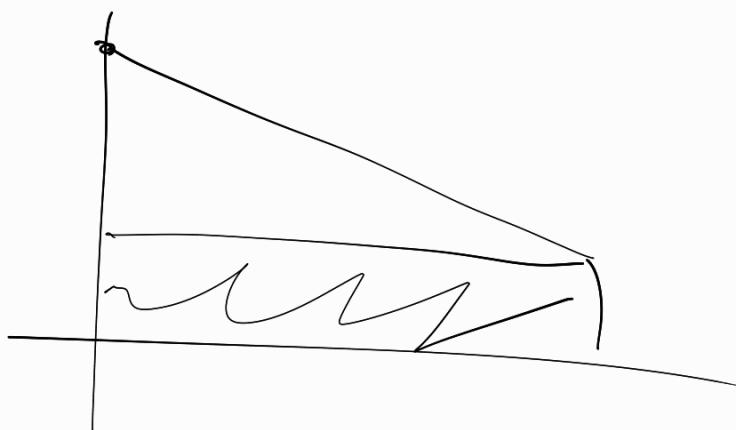
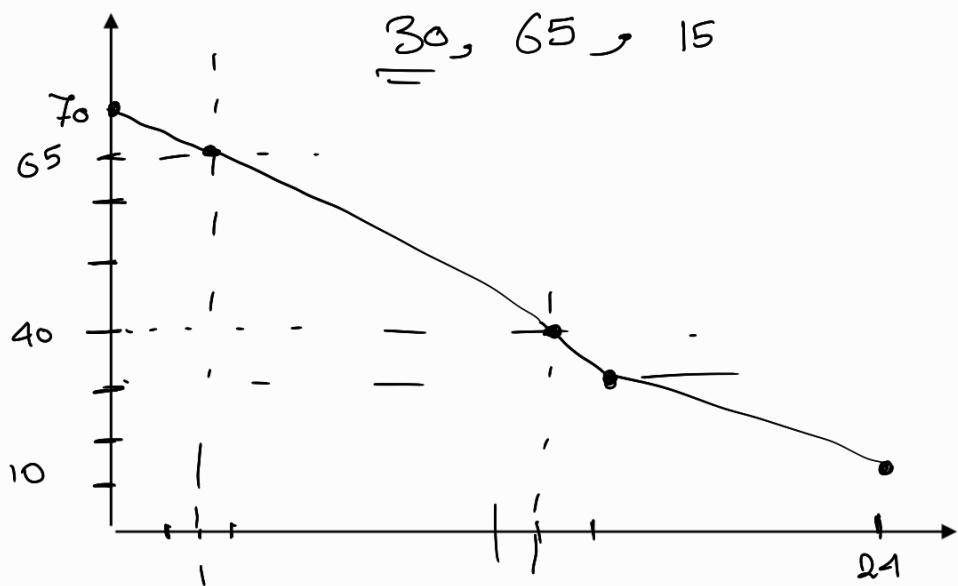
$$= \frac{x_{kj}}{N} + x_{q21}$$

Weigh

$$\frac{\$}{KN}$$



clue 1



Total corner

