

Matlab

Matrices

$$a = [1 \ 2 \ 3 \ 4]$$

- matrix with one line (row)

$$a = [1 \ 2 \ 3 \ 4]'$$

- matrix with one column

- To know a matrix length use:
 $\text{length}(\text{matrix name})$

- To multiply element by element
 $a .* b$
- To square a matrix:

$$a.^2 \rightarrow \text{can be } 3, 4, \dots$$

- Transpose of a matrix
 a'

- To cut specific rows or columns

old matrix \rightarrow

$$B = A \left(\begin{array}{|c|c|} \hline [1] & [2] \\ \hline [3] & [4] \\ \hline \end{array} \right)$$

new matrix \rightarrow

الصف الثاني الصف الثالث العمود الثاني العمود الرابع

• interchanging

$$C = A([3, 2, 1, :])$$

بما أن C هي الصف الثالث، والصف الثاني والصف الأول

• To delete a certain row

$$A(2, :) = []$$

• To delete a certain column

$$A(:, 2) = []$$

• To get all columns sequenced

$$C(:)$$

• To change a matrix to diagonal matrix

$$D = \text{diag}(d)$$

$$d = [1, 2, 3] \Rightarrow D = \begin{bmatrix} 1 & 0 & 0 \\ 0 & 2 & 0 \\ 0 & 0 & 3 \end{bmatrix}$$

• To solve equations (linear) using matrices

$$2x + 2y - z = 10$$

$$-x + 3y + 2z = 5$$

$$x - y - z = -1$$

$$a = \begin{bmatrix} 2 & 2 & -1 \\ -1 & 3 & 2 \\ 1 & -1 & -1 \end{bmatrix} \quad b = \begin{bmatrix} 10 \\ 5 \\ -1 \end{bmatrix}$$

so x, y, z :-
 $x = a \setminus b$

• Solving an equation using matlab

$$\text{solve('eq', 'var')}$$

حل المعادلات
بموجب المتغيرات

• To round

$$\text{vpa}(ans, 3)$$

تحويل الأرقام إلى المطلوب تقريبه
بموجب التقريب

To define a function

$f = \text{inline}('eq', 'x')$

دفعه بقدر اعوضه ای رقم بیست و پنج

$f(205)$

Syms → تعریف الی

To differentiate

$\text{diff}('eq', 'x')$

درجه اول ← 1, 2, 3

To find extreme values of a function

Steps to solve:

- 1- Find f' : diff (function)
- 2- Solve for zero : solve diff (function)
- 3- Take answers (and put in second derivative (diff (fun. 2))
if Ans $> 0 \rightarrow$ Min
if Ans $< 0 \rightarrow$ Max
- 4- put in f to find y points

• To integrate :- syms x

→ with limits

int (function, 0, 1)
function ()
1.0 to 1.0

→ without limits

int ()
القوانين

• To solve equations :-

$x^2 + x + y^2 = 2$
 $2x - y = 2$

[x y] = Solve (eq1, eq2, 'x', 'y')

• Double integration

syms x y
 int (int (function, y, order1), x, order2)

• limits:

limit (function, x, value)

• Solving differential eqs

dsolve ('Dy-1', 'x')

→ with initial equation condition

dsolve ('eq', 'IC', 'x')
 ex dsolve ('Dy-1', 'y(1)=5', 'x')

• 2nd order derivative eqs

$$\text{dsolve}(\text{'D}^2y - 3^*Dy + 2^*y', 'x')$$

→ Initial condition

$$\text{dsolve}(\text{'---'}, \text{'IC1'}, \text{'IC2'}, 'x')$$

Plotting :-

to plot $y = x^2$ Increment
• put a range of x : $x = 0:0.01:1$
Domain

• $y = x.^2$ find x axis

• plot(x, y)

• to put a title
title(' ')

• to put a title for axis
xlabel(' ')

• to make range $x = \text{range } y$
axis('square')

• to draw more than one function
using same range

plot(x₁, y₁, x₂, y₂, x₃, y₃ ...)

↓ 1st fun ↓ 2nd fun ↓ 3rd fun

• Subplot

subplot (2, 2, 1)

2x2 window

plot(x, y)

• Different shapes of drawing

- y : yellow . point
- m : magenta o circle
- c : cyan x x-mark
- r : red + Plus
- g : green □ solid
- b : blue * star
- w : white - dotted
- k : Black . dash dot
- dashed

• markersize

تسليم لتكبير الكيف والوجه

• Drawing in 3D

• 3D line-plots

syntax: plot3(x, y, z)

x, y, z : vectors or matrices

→ helix

t = linspace(0, 10*pi)

plot3(sin(t), cos(t), t)

text(0, 0, 0, 'origin')

linspace
تقسيم الفترة لـ 100 قسم
grid on
تسطيح grid بالقياس
عند نقطة
الاصلي

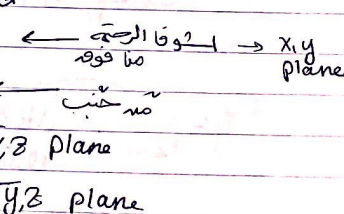
► view command

view(0, 90)

view(0, 60)

view(0, 0)

view(90, 0)



Sine graph

$x = \text{linspace}(0, 3 * \pi)$

$z_1 = \sin(x)$

$z_2 = \sin(2 * x)$

$z_3 = \sin(3 * x)$

$y_1 = \text{zeros}(\text{size}(x))$ → spread on y axis

$y_3 = \text{ones}(\text{size}(x))$ → by giving each

$y_2 = y_3 / 2$ → curve a value of y

Representing a matrix as a surface

Mesh and surface plots

→ **mesh(x)**

matrix

gives a colored, wire frame view of the surface and displays it in a 3-D view

→ **surf(y)**

surf1 is a 3D plot; surf2 is a 2D plot

→ **meshgrid**

line matrices x, y, x, Range of x, Plots 1, 2, 3

$x = 0 : \pi/3 : \pi;$

$y = 0 : 0.1 : 1;$

$[x, y] = \text{meshgrid}(x, y);$

capital

small

matrix

$z = \exp(-y) * \sin(x)$

Contour(z)

, or surf(z) or mesh(z)

Peaks Function

- Function of two variables
- $\text{Peaks}(X, Y)$
should be same size

Ex:

$[X, Y] = \text{meshgrid}(-3:0.125:3);$

$Z = \text{Peaks}(X, Y);$

$\text{mesh}(X, Y, Z);$

$\text{axis}([-3 3 -3 3 -10 5])$

(Additional) scale of axis

• $\text{Peaks}(n)$

obj obj, p, c, i

matrix $n \times n$

view

meshz: adds a curtain or a reference plane under graph
(surface should be defined on a rectangular grid)

~~Waterfall~~ graph

→ same previous code but **meshz** instead of **mesh** to make a rectangular base.

sphere

used to generate a 3D sphere

Syntax: • **sphere**: default

20-by-20 faces sphere

• **sphere**(n): $n \times n$ faces sphere

• $[X, Y, Z] = \text{sphere}(n)$

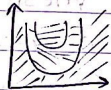
$\text{surf}(X, Y, Z)$ or $\text{mesh}(X, Y, Z)$

Contour: $z = f(x, y)$



contour 3: 3D

contour 5: 2D



Interpolation:

let $x = \begin{bmatrix} 0 \\ 1 \\ 2 \\ 3 \\ 4 \\ 5 \end{bmatrix}$ (one row) $y = \begin{bmatrix} 15 \\ 10 \\ 9 \\ 6 \\ 2 \\ 0 \end{bmatrix}$ (one row)

To find y of $x = 3.5$

let new $x = 3.5$

new $y = \text{interp}(x, y, \text{new-x})$

Regression:

• **Linear Regression:** 1st order $y = ax + b$

$x = [\quad]$

$y = [\quad]$

$n = 1$

$P = \text{PolyFit}(x, y, 1)$

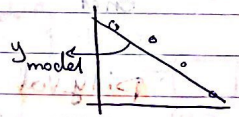
سليم التقريب

$a = P(1)$

$b = P(2)$

$y_{\text{model}} = a * x + b$

plot $(X, y, 'o', X, y_{\text{model}})$



Polynomial Regression

$$y(x) = a_0 x^n + a_1 x^{n-1} + \dots + a_{n-1} x + a_n$$

We will use a loop:

$$x = [\quad];$$

$$y = [\quad];$$

for n = 2:5;

$$P = \text{polyfit}(x, y, n);$$

$$y_{\text{model}} = \text{polyval}(P, x);$$

$$\text{subplot}(2, 2, n-1);$$

$$\text{plot}(x, y, 'o', x, y_{\text{model}});$$

end

Polyval: لارجع قيمة

x لـ Polynomial

$$P = [1 \ 0 \ 0 \ 0 \ 0]$$

$$P = [1 \ 0 \ 0 \ 0 \ 0]$$

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Simulation

► Solving 2nd order differential equation

► مثال لـ

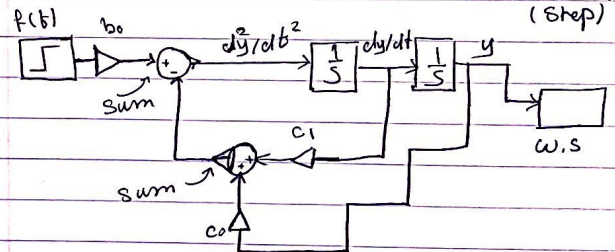
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لـ

Workspace: لـ

$$d^2y/dt^2 + c_1 dy/dt + c_0 y = b_0 f(t)$$

function (step)



• Systems in Simulations

$$d^2x/dt^2 = \frac{F}{m}$$

Using Sine wave and $100 = m$

